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Neutrino Physics in Heaven



“What’s Nu?” IFT Miniworkshop on Neutrino Physics 2005
18-20 May 2005, Madrid, Spain

Topics in Neutrino Astrophysics and Cosmology

Phenomenon	Astrophysical benefits	Particle-physics benefits
Neutrinos in ordinary stars	Important/dominant energy-loss channel	- Solar nus $\rightarrow$ mixing params - Limits on new ν properties
Neutrinos in SNe & SN 1987A	- Dominant E loss/transfer - Nucleosynthesis	Limits on new particle properties
Neutrinos from next galactic SN	Test SN theory	- Mixing parameters - Limits on new ν properties
Diffuse SN ν background	- Test SN theory - Star formation history	Limits on decays
High-E neutrinos & cosmic rays	ν astronomy	- Atm nus $\rightarrow$ mixing params - High-E nus $\rightarrow \Theta_{13}$ and δ
Big-bang nucleosynthesis	Primordial light element abundances, especially ^4He	Limits (evidence?) on new ν properties, new states
Neutrino dark matter	Hot dark matter contribution	m_ν limit - Future measurement?
Leptogenesis	Cosmic baryon asymmetry	Motivation for 2β experiments

A black and white illustration of a hand holding a pen, with a large yellow text overlay reading "Neutrinos in Ordinary Stars". The hand is shown in a detailed, shaded style, holding a pen that is positioned diagonally across the frame. The background is a textured, greyish surface. The text is in a bold, sans-serif font, with a black outline, and is centered over the hand and pen. The overall composition is a mix of scientific and artistic elements.

Neutrinos in Ordinary Stars

Neutrinos from Thermal Plasma Processes

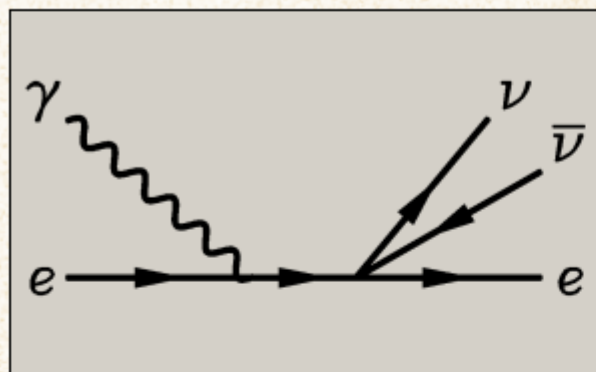
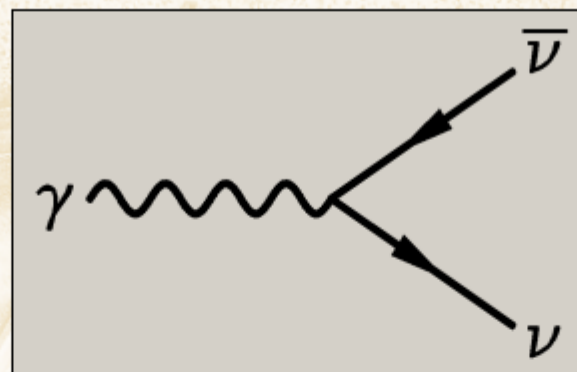
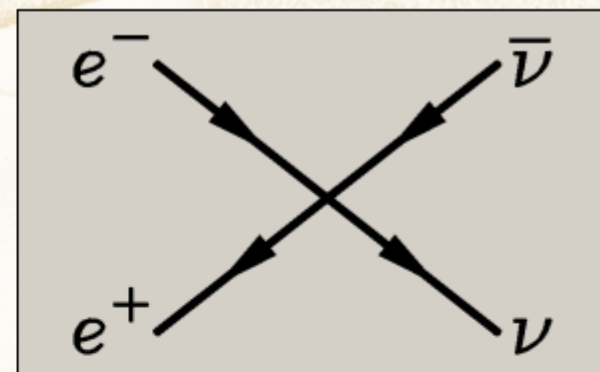


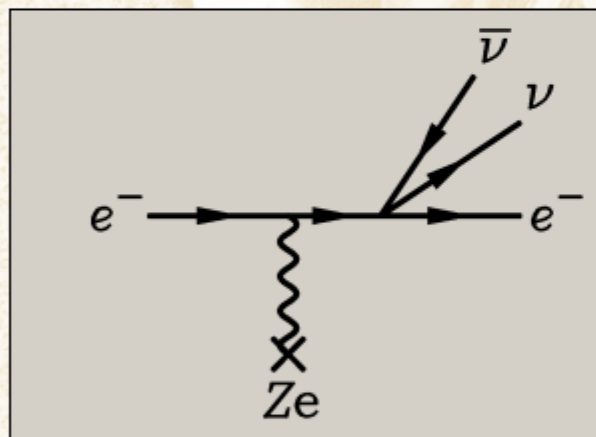
Photo (Compton)



Plasmon decay

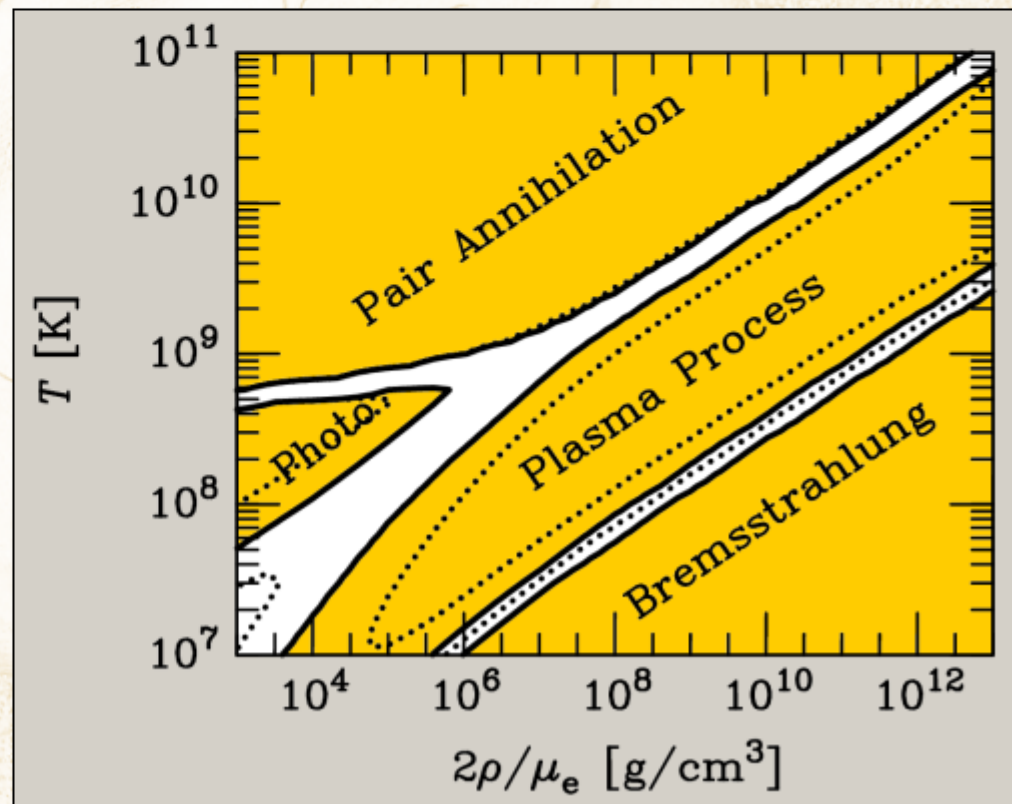


Pair annihilation



Bremsstrahlung

These processes first discussed in 1961-63 after V-A theory



Burning Phases of a 15 Solar-Mass Star

Burning Phase	Dominant Process	T_c [keV]	ρ_c [g/cm ³]	L_γ [10 ⁴ L _{sun}]		Duration [years]	
					L_v/L_γ		
	Hydrogen	H → He	3	5.9	2.1	—	1.2 × 10 ⁷
	Helium	He → C, O	14	1.3 × 10 ³	6.0	1.7 × 10 ⁻⁵	1.3 × 10 ⁶
	Carbon	C → Ne, Mg	53	1.7 × 10 ⁵	8.6	1.0	6.3 × 10 ³
	Neon	Ne → O, Mg	110	1.6 × 10 ⁷	9.6	1.8 × 10 ³	7.0
	Oxygen	O → Si	160	9.7 × 10 ⁷	9.6	2.1 × 10 ⁴	1.7
	Silicon	Si → Fe, Ni	270	2.3 × 10 ⁸	9.6	9.2 × 10 ⁵	6 days

Existence of Direct Neutrino-Electron Coupling

VOLUME 24, NUMBER 10

PHYSICAL REVIEW LETTERS

9 MARCH 1970

ASTROPHYSICAL DETERMINATION OF THE COUPLING CONSTANT FOR THE ELECTRON-NEUTRINO WEAK INTERACTION

Richard B. Stothers*

Goddard Institute for Space Studies, National Aeronautics and Space Administration, New York, New York 10025

(Received 22 December 1969)

The existence of the $(\bar{\nu}_e)(\bar{\nu}_e e)$ weak interaction is confirmed by the results of nine astrophysical tests. The value of the coupling constant is equal to, or close to, the coupling constant of beta decay, namely, $g^2 = 10^{0 \pm 2} g_\beta^2$.

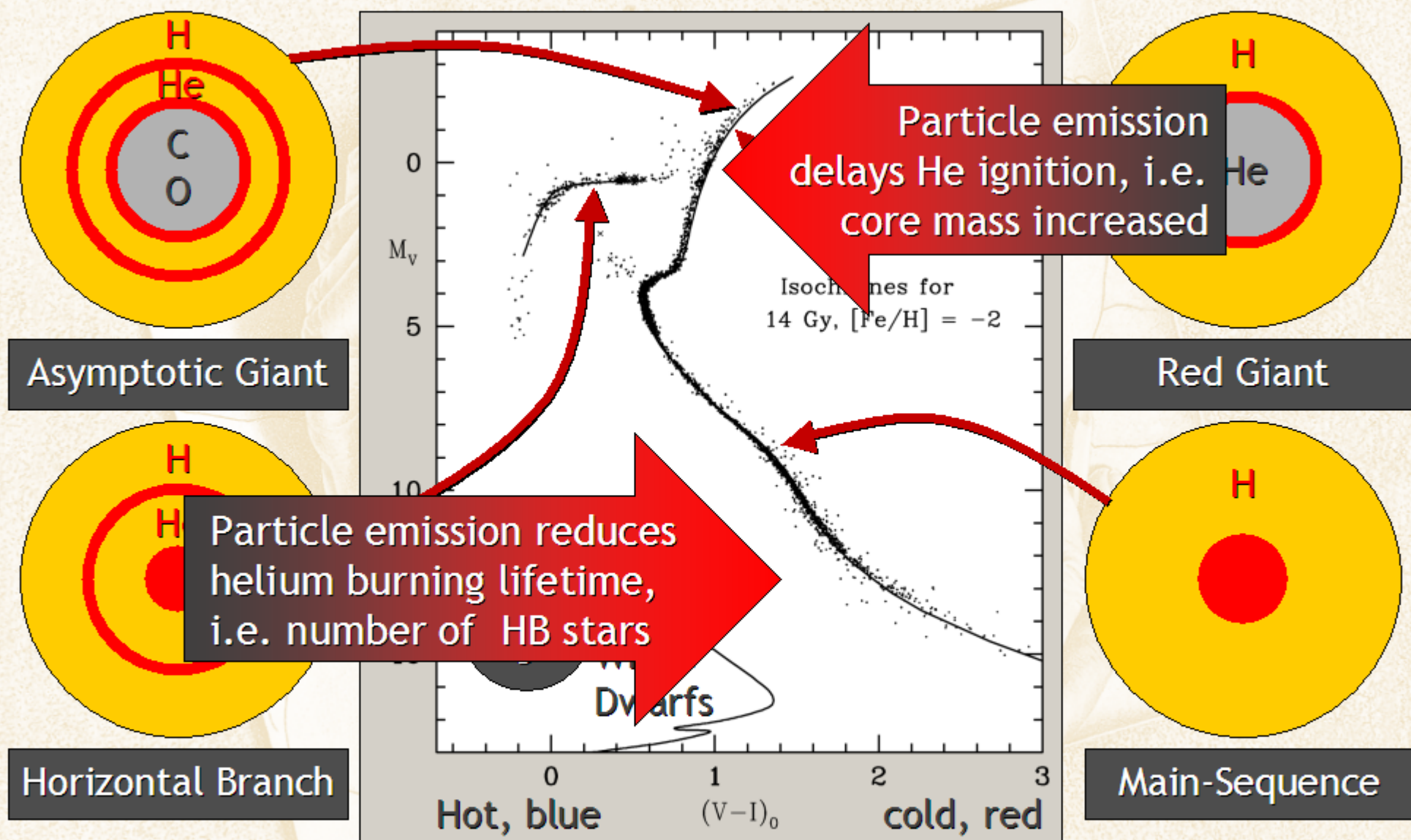
Of all the astrophysical tests applied so far for the inference of a direct electron-neutrino interaction in nature, none has unambiguously provided a useful upper limit on the coupling constant, which in the $V-A$ theory of Feynman and Gell-Mann¹ is taken to be equal to the "universal" weak-interaction coupling constant measured from beta decays (called g_β hereafter). However, it is important to point out that these tests, made by the author and his colleagues during the past eight years, do provide a nonzero lower limit, and therefore establish at least the existence of the $(\bar{\nu}_e)(\bar{\nu}_e e)$ interaction. It should be emphasized, nonetheless, that all of these tests rely on the validity of various stellar model calculations. These models, while not subject to scrutiny in the same sense as a laboratory ex-

relative theoretical lifetimes, calculated with and without the inclusion of neutrino emission. In this Letter, the unmodified term "luminosity" will mean the photon luminosity L radiated by the star. The "neutrino luminosity" will be designated L_ν . Quantities referring to the sun are subscripted with an encircled dot.

The most accurate available data on white dwarfs are those collected by Eggen⁷ for the two clusters Hyades and Pleiades and for the nearby general field. Of chief interest here are the hot white dwarfs, for which the observational data^{7,8} have been reduced following the procedure of Van Horn.⁹ The resulting luminosities are estimated to have a statistical accuracy of ± 0.1 in $\log(L/L_\odot)$, which is adequate here.

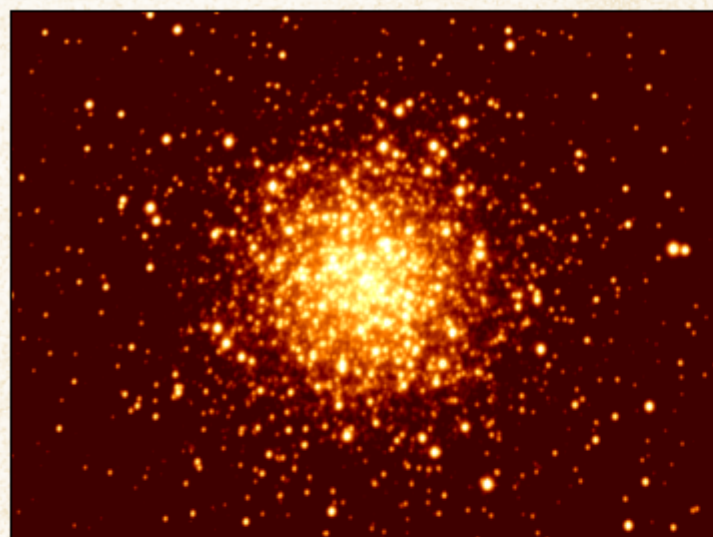
Models of cooling white dwarfs have been con-

Color-Magnitude Diagram for Globular Clusters



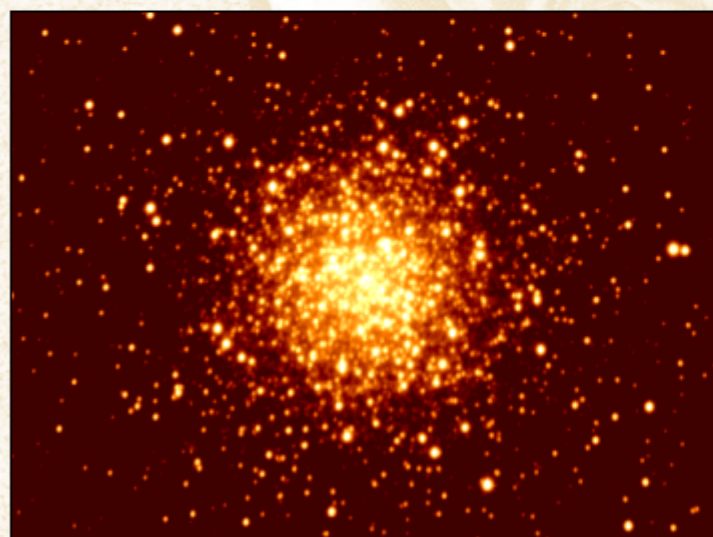
Color-magnitude diagram synthesized from several low-metallicity globular clusters and compared with theoretical isochrones (W.Harris)

Globular Clusters as Particle-Physics Laboratories



Best limits on quantities like

- Axion-photon coupling
- Axion-electron coupling
- Neutrino dipole moments
- ...



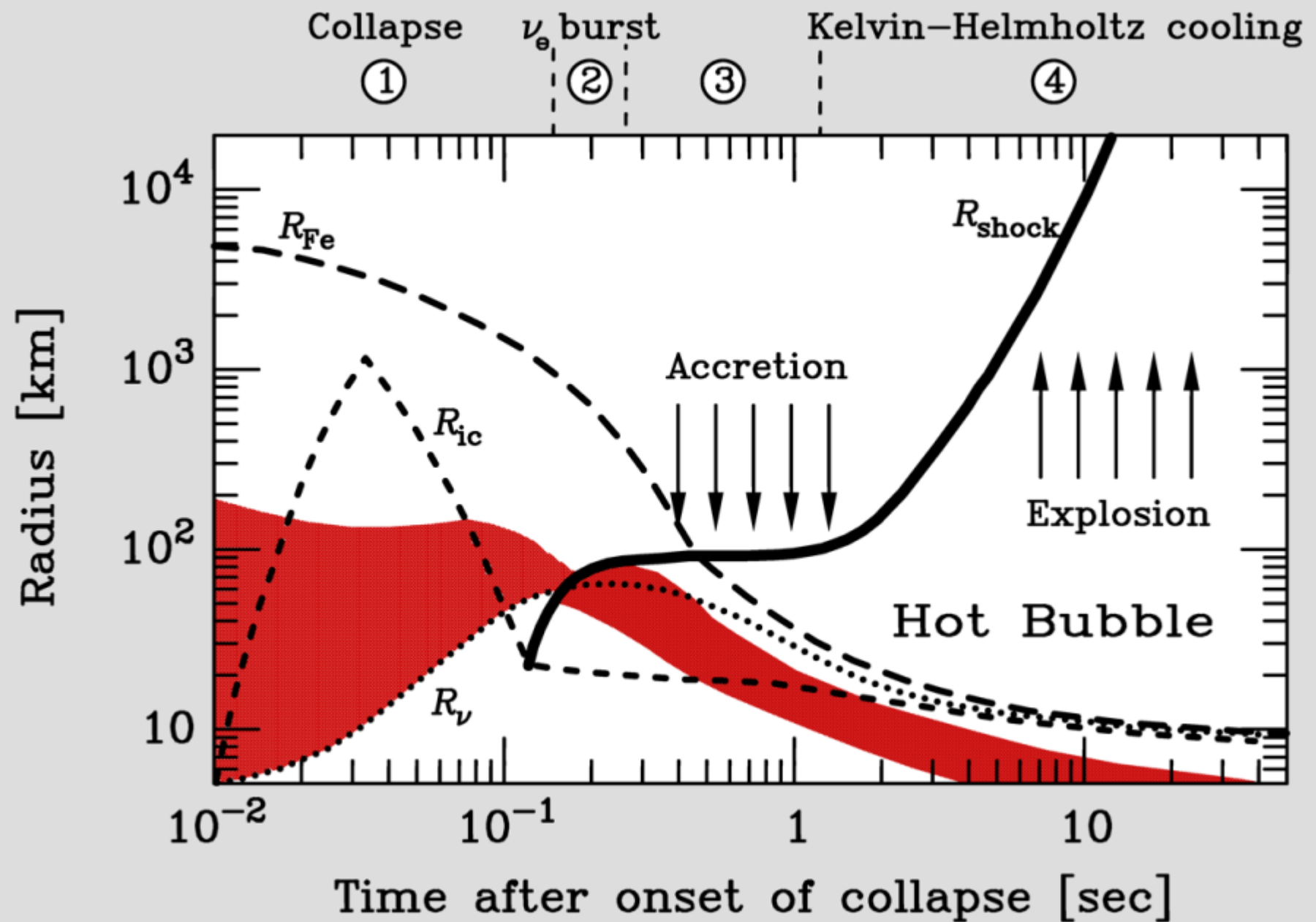
Reconsider these arguments with

- Modern photometry of
~ 100 galactic globular clusters
- Modern stellar evolution code
- Serious error analysis
(statistical & systematic)

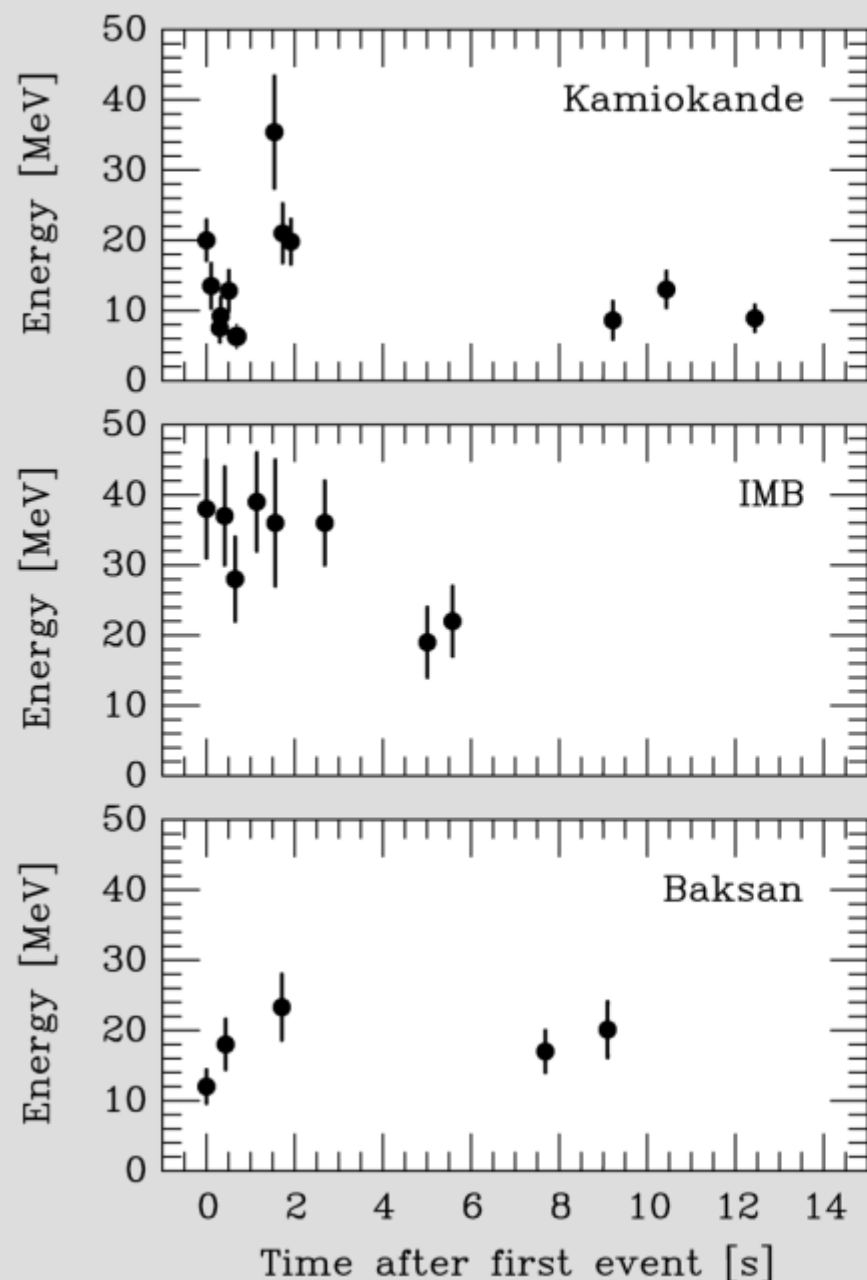


Supernova Neutrinos

Supernova Delayed Explosion Scenario



Neutrino Signal of Supernova 1987A



Kamiokande (Japan)
Water Cherenkov detector
Clock uncertainty ± 1 min

Irvine-Michigan-Brookhaven (US)
Water Cherenkov detector
Clock uncertainty ± 50 ms

Baksan Scintillator Telescope
(Soviet Union)
Clock uncertainty $+2/-54$ s

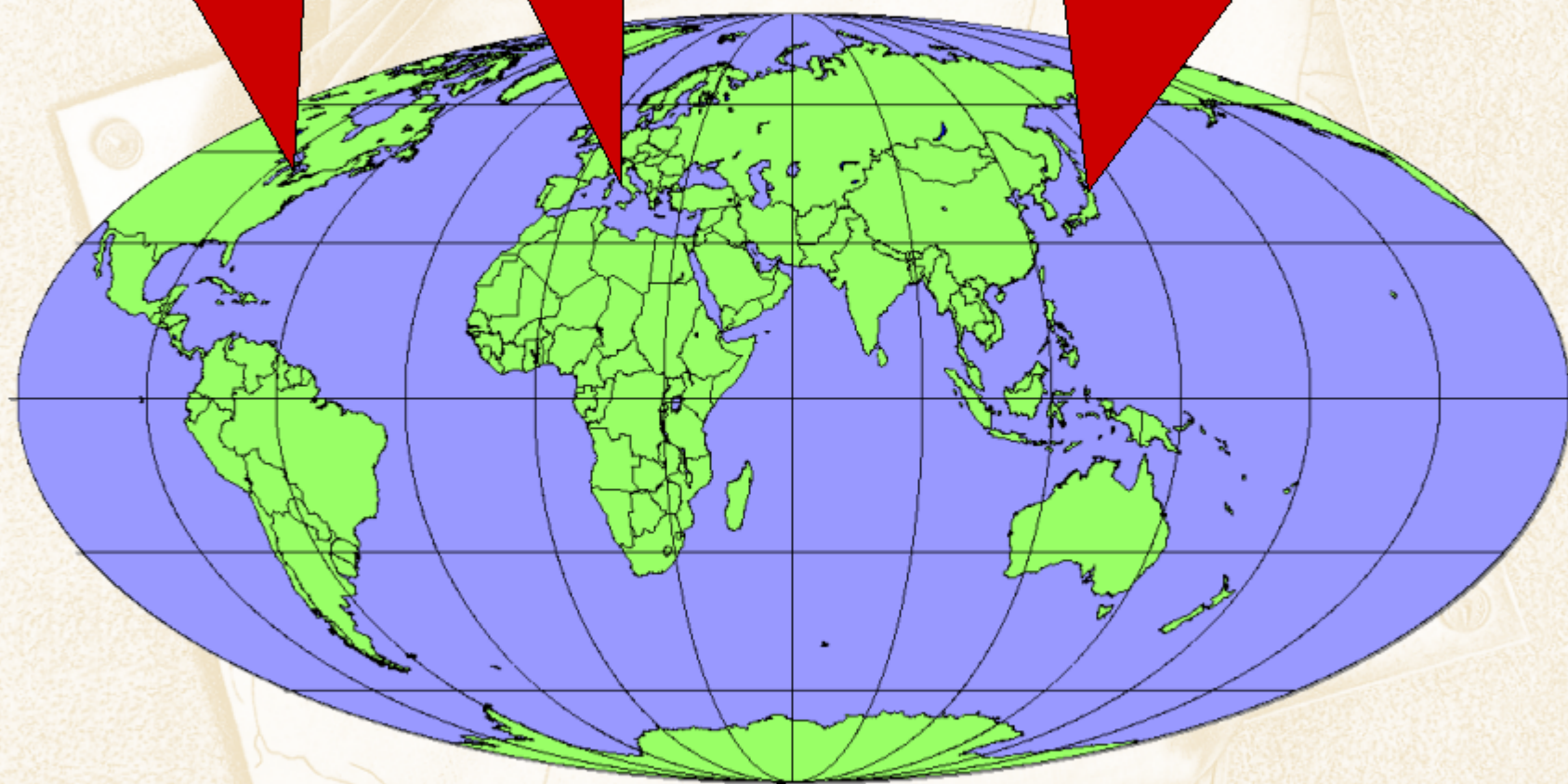
Within clock uncertainties,
signals are contemporaneous

Large Detectors for Supernova Neutrinos

SNO (800)
MiniBooNE (190)

LVD (400)
Borexino (80)

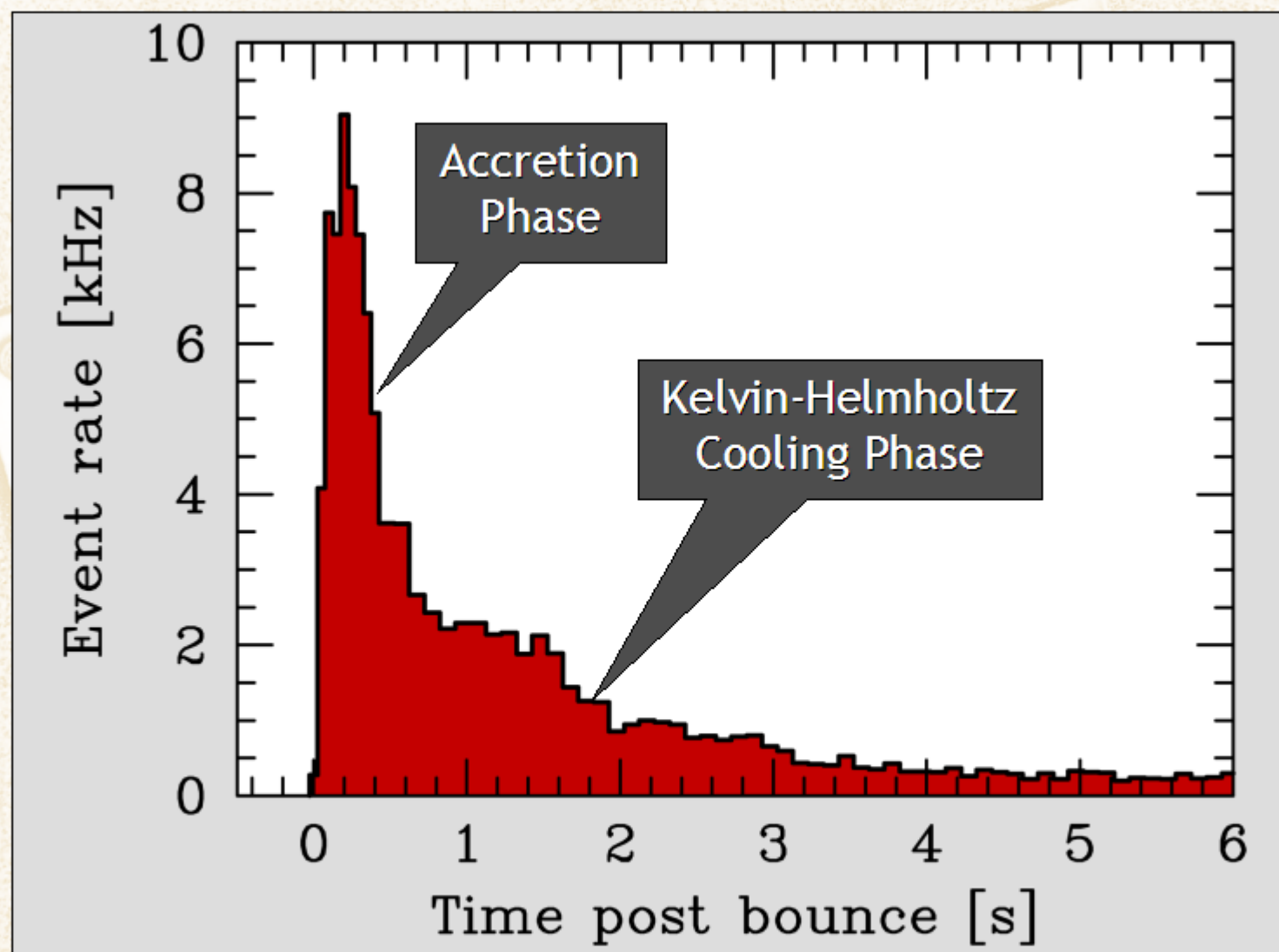
Super-Kamiokande (10^4)
Kamland (330)



Amanda
IceCube

In brackets events
for a “fiducial SN”
at distance 10 kpc

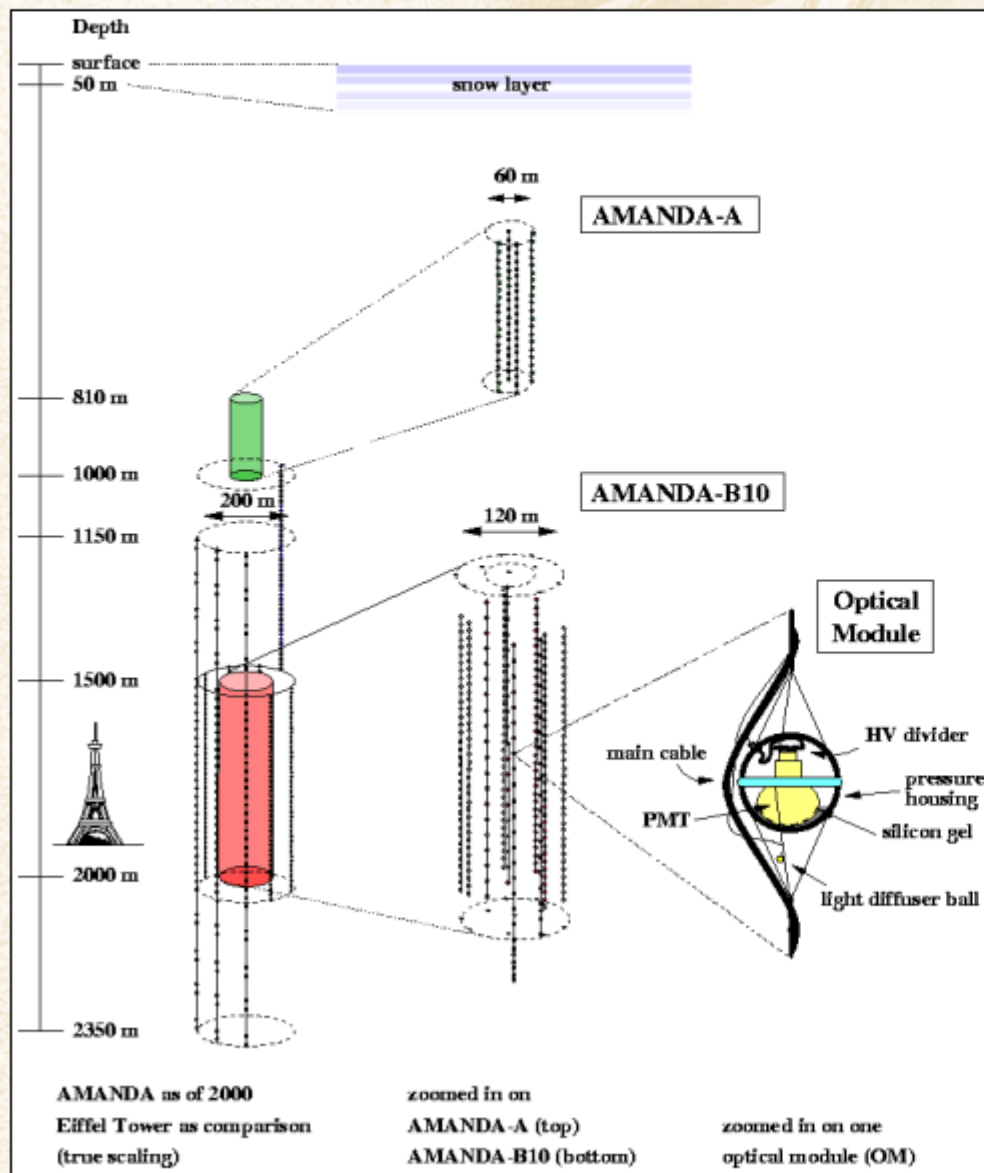
Simulated Supernova Signal at Super-Kamiokande



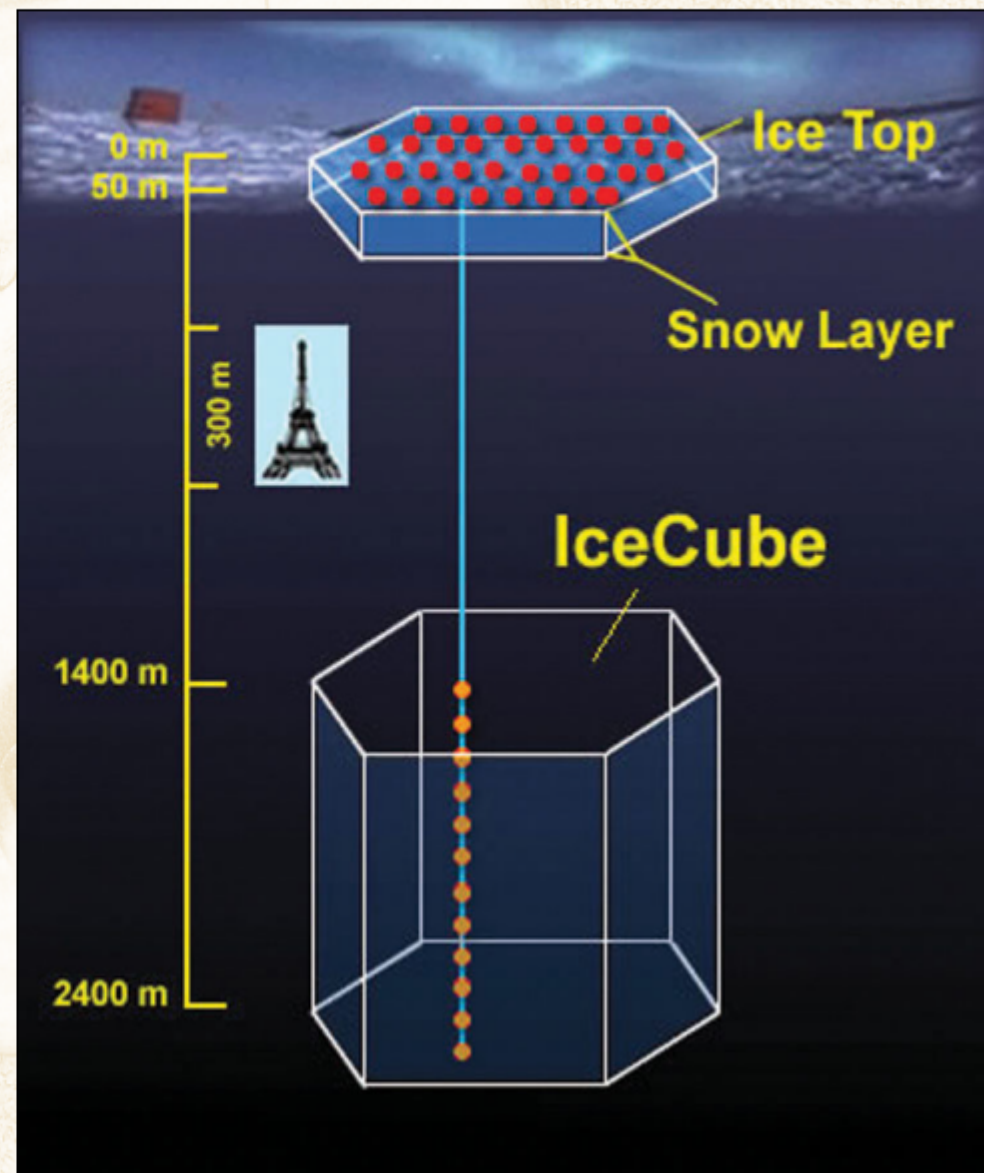
Simulation for Super-Kamiokande SN signal at 10 kpc,
based on a numerical Livermore model
[Totani, Sato, Dalhed & Wilson, ApJ 496 (1998) 216]

Southpole Ice-Cherenkov Neutrino Detectors

AMANDA II (0.1 km^3 , 800 PMTs)



Future IceCube (1 km^3 , 4800 PMTs)

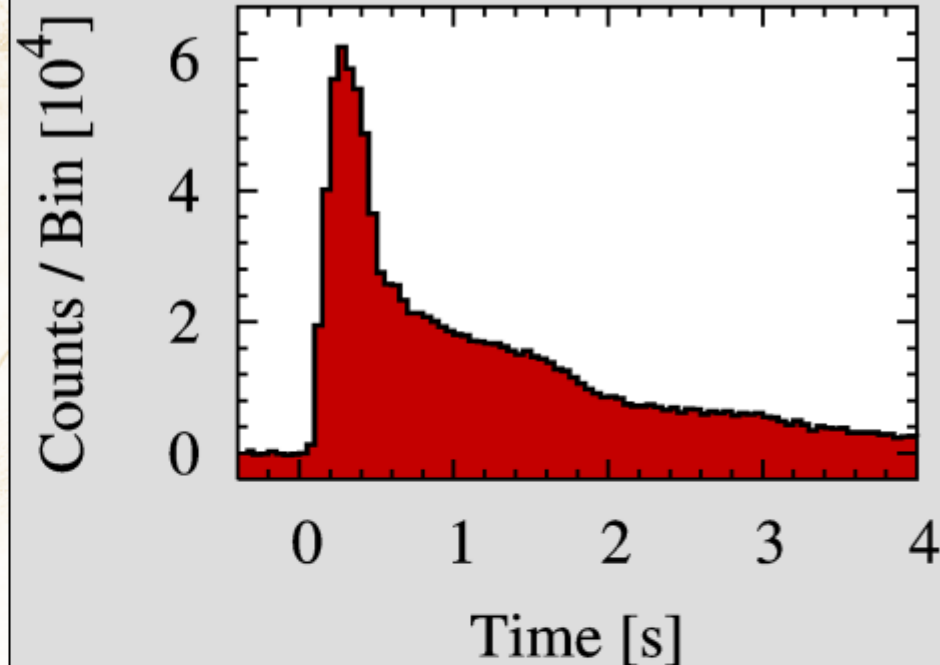
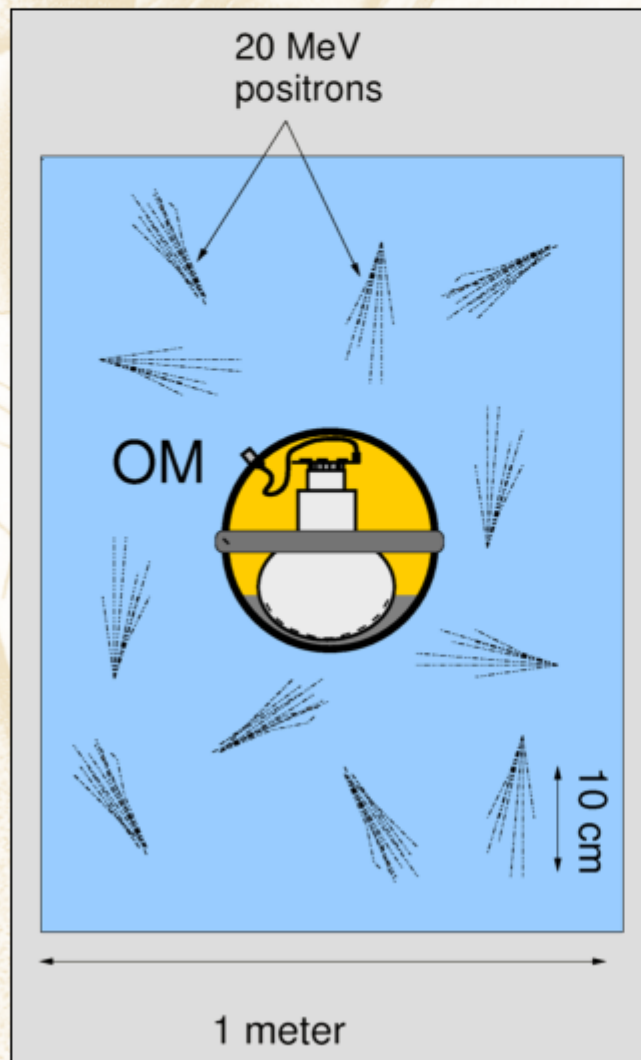


IceCube as a Supernova Neutrino Detector

Each optical module (OM) picks up Cherenkov light from its neighborhood. SN appears as “correlated noise”.

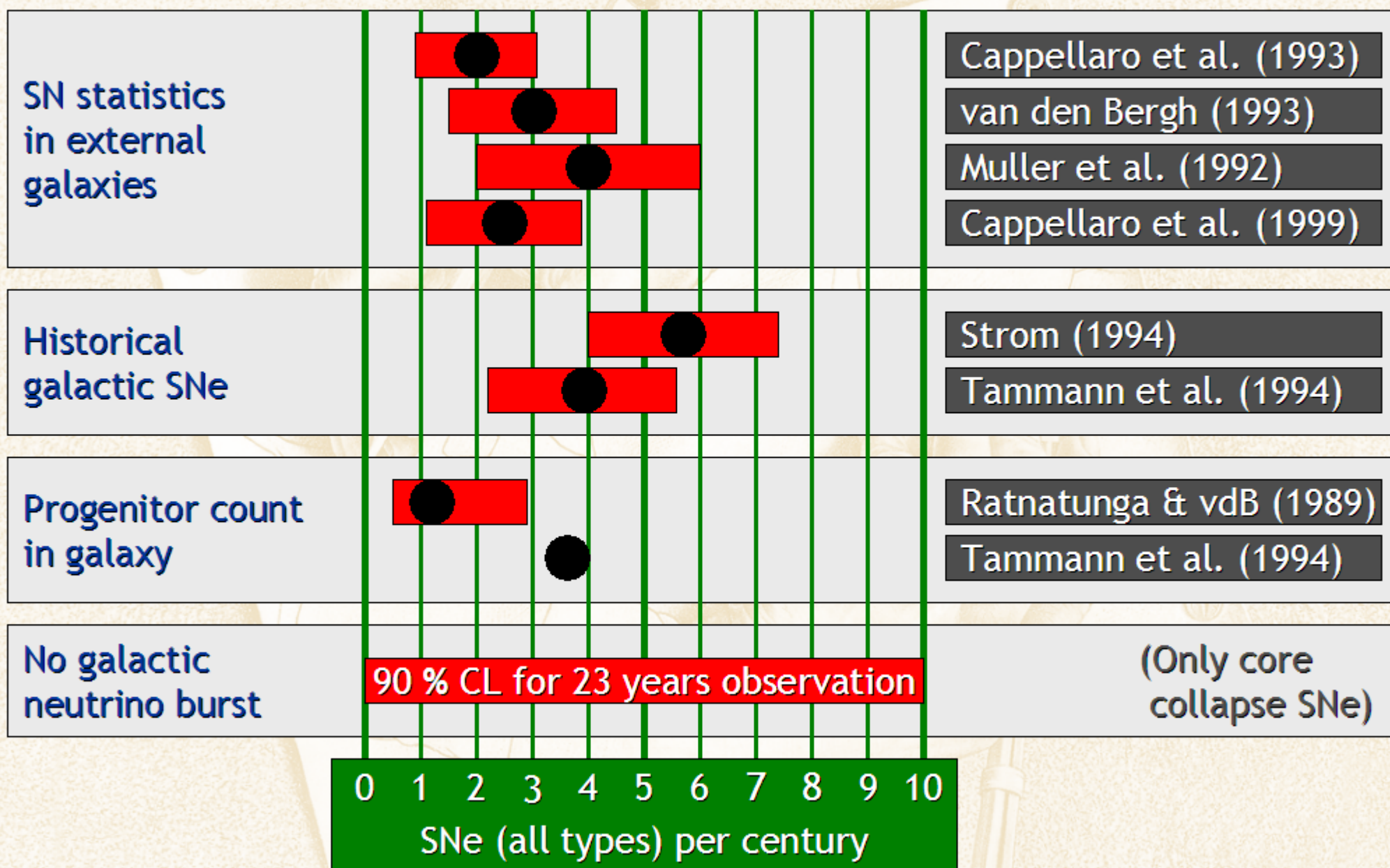
~ 300
Cherenkov
photons
per OM
from a SN
at 10 kpc

Noise
per OM
< 500 Hz

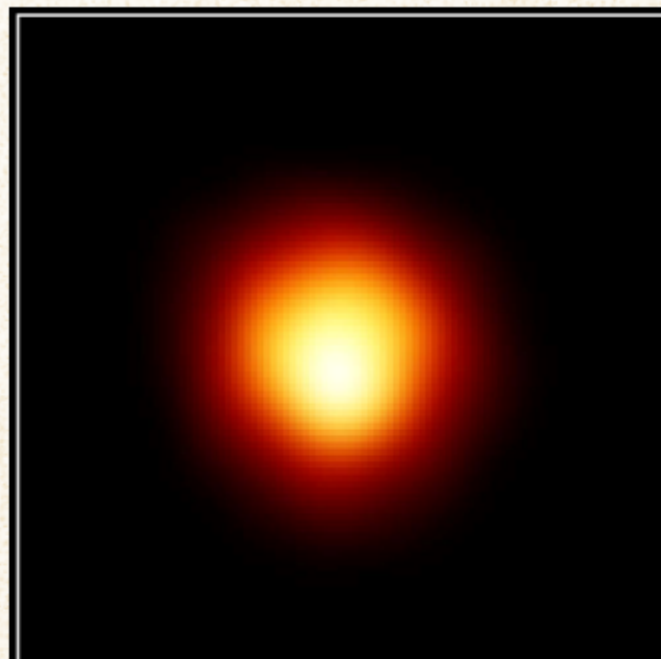


IceCube SN signal at 10 kpc, based
on a numerical Livermore model
[Dighe, Keil & Raffelt, hep-ph/0303210]

Estimates of the Galactic Supernova Rate



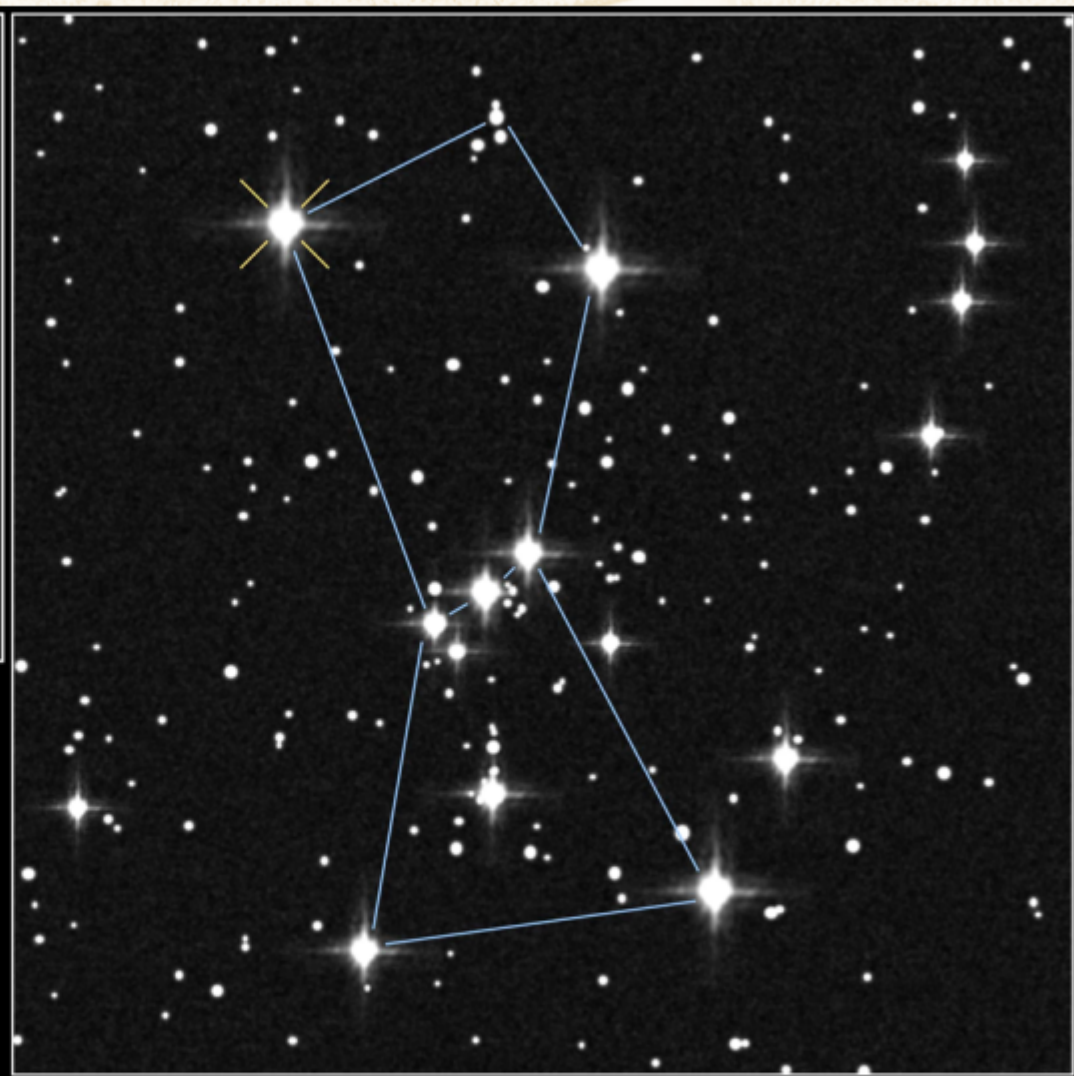
The Red Supergiant Betelgeuse (Alpha Orionis)



Size of Star

Size of Earth's Orbit

Size of Jupiter's Orbit



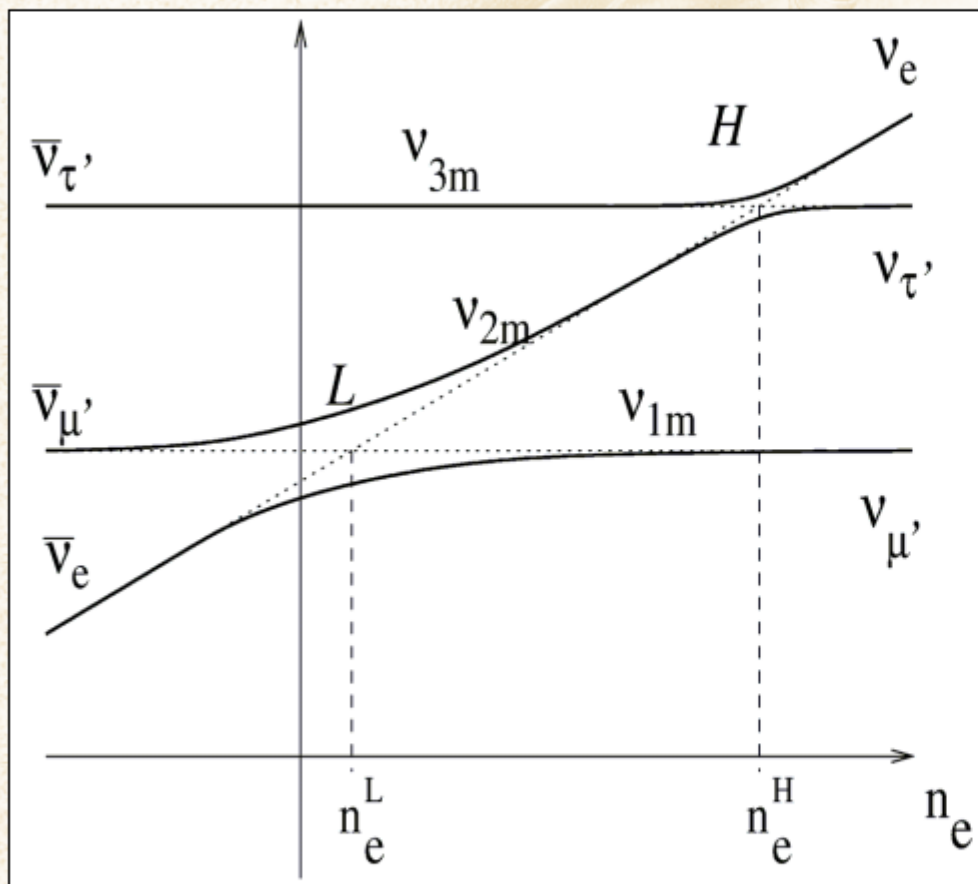
First resolved
image of a star
other than Sun

Distance
(Hipparcos)
130 pc (425 lyr)

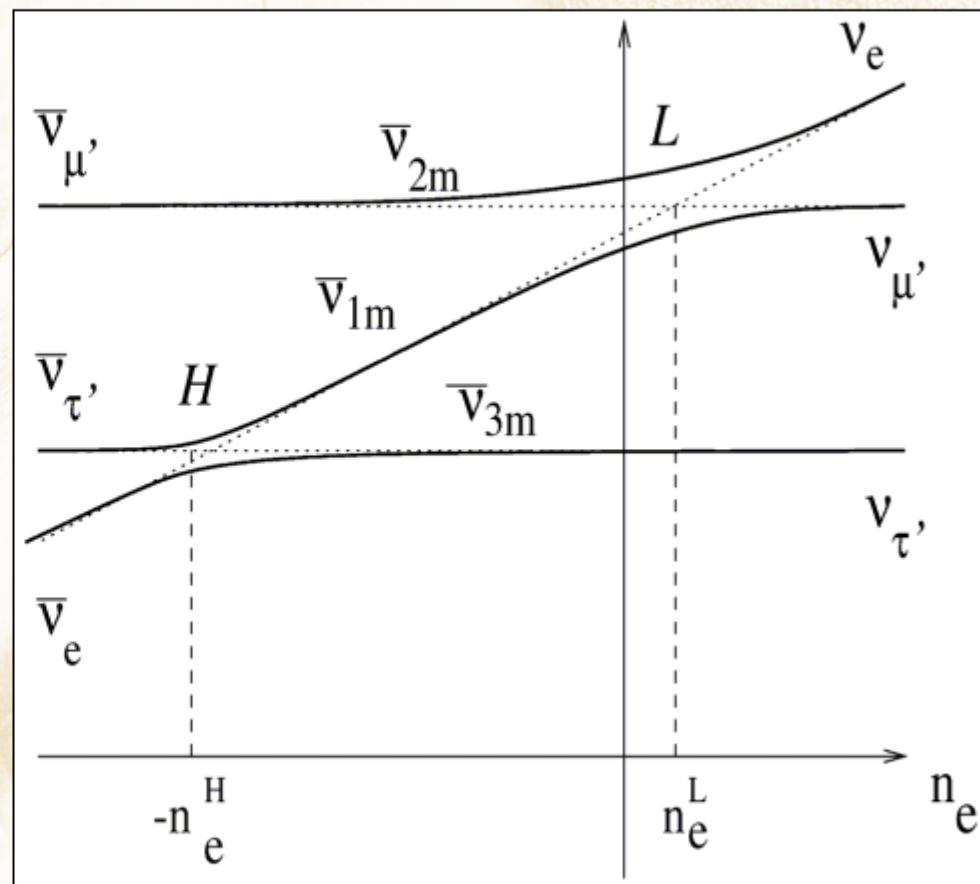
If Betelgeuse goes Supernova
 6×10^7 neutrino events
in Super-Kamiokande

Level-Crossing Diagram in a SN Envelope

Normal mass hierarchy



Inverted mass hierarchy



Dighe & Smirnov, Identifying the neutrino mass spectrum from a supernova neutrino burst, astro-ph/9907423

Spectra Emerging from Supernovae

Primary fluxes

$$F_e^0 \quad \text{for } \nu_e$$

$$F_{\bar{e}}^0 \quad \text{for } \bar{\nu}_e$$

$$F_X^0 \quad \text{for } \nu_\mu, \bar{\nu}_\mu, \nu_\tau, \bar{\nu}_\tau$$

After leaving the supernova envelope, the fluxes are partially swapped

$$F_e^0 = p F_e^0 + (1-p) F_X^0$$

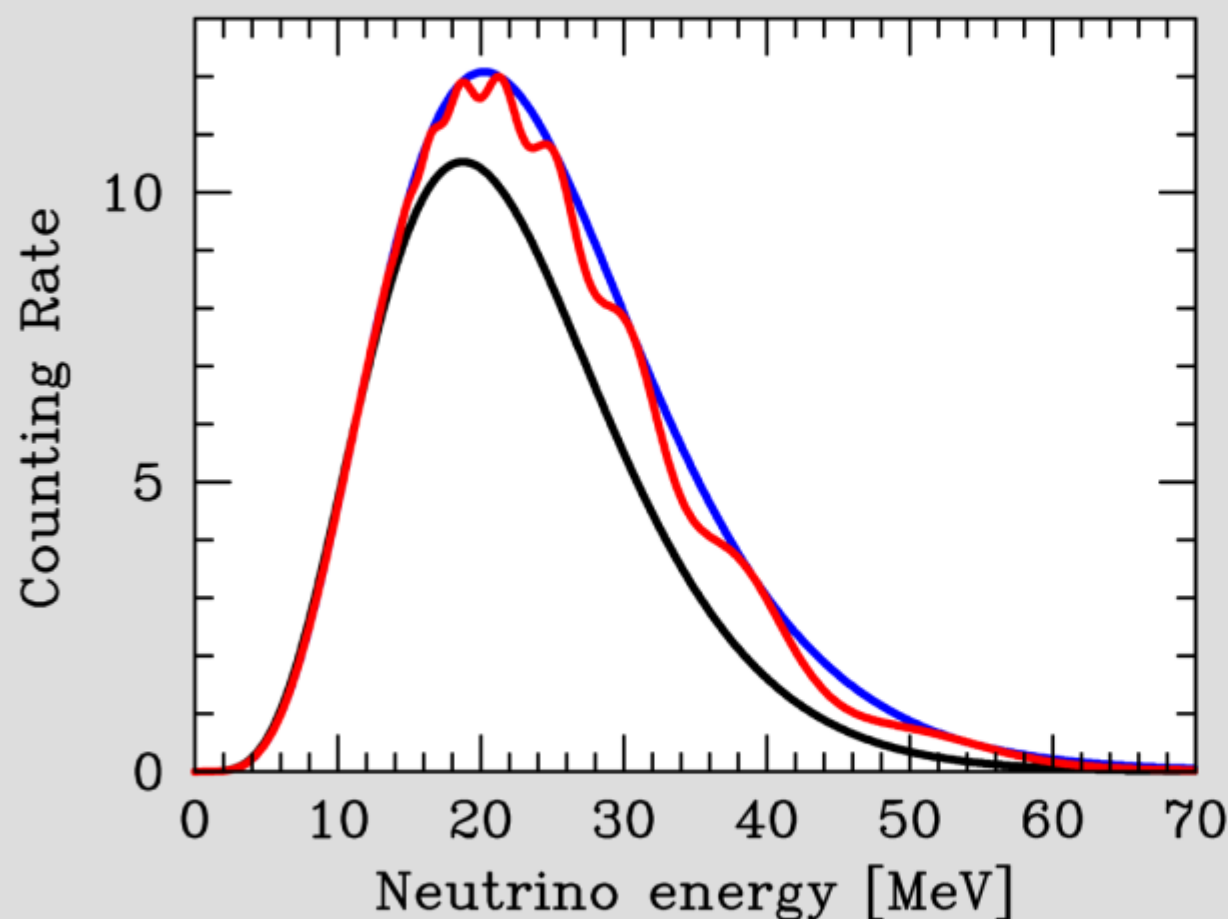
$$F_{\bar{e}}^0 = \bar{p} F_{\bar{e}}^0 + (1-\bar{p}) F_X^0$$

$$\frac{1}{4} \sum F_X = \frac{2+p+\bar{p}}{4} F_X^0 + \frac{1-p}{4} F_e^0 + \frac{1-\bar{p}}{4} F_{\bar{e}}^0$$

Case	Mass ordering	$\sin^2(2\Theta_{13})$	Survival probability	
			p (for ν_e)	$\bar{p}$ (for $\bar{\nu}_e$)
A	Normal	$\gtrsim 10^{-3}$	0	$\cos^2(\Theta_{12})$
B	Inverted		$\sin^2(\Theta_{12})$	0
C	Any	$\lesssim 10^{-5}$	$\sin^2(\Theta_{12})$	$\cos^2(\Theta_{12})$

Oscillation of Supernova Anti-Neutrinos

Measured $\bar{\nu}_e$ spectrum at a detector like Super-Kamiokande



Assumed flux parameters

Flux ratio $\bar{\nu}_e : \bar{\nu}_\mu = 0.8 : 1$

$\langle E(\bar{\nu}_e) \rangle = 15 \text{ MeV}$

$\langle E(\bar{\nu}_x) \rangle = 18 \text{ MeV}$

Mixing parameters

$\Delta m_{\text{sun}}^2 = 60 \text{ meV}^2$

$\sin^2(2\theta) = 0.9$

No oscillations

Oscillations in SN envelope

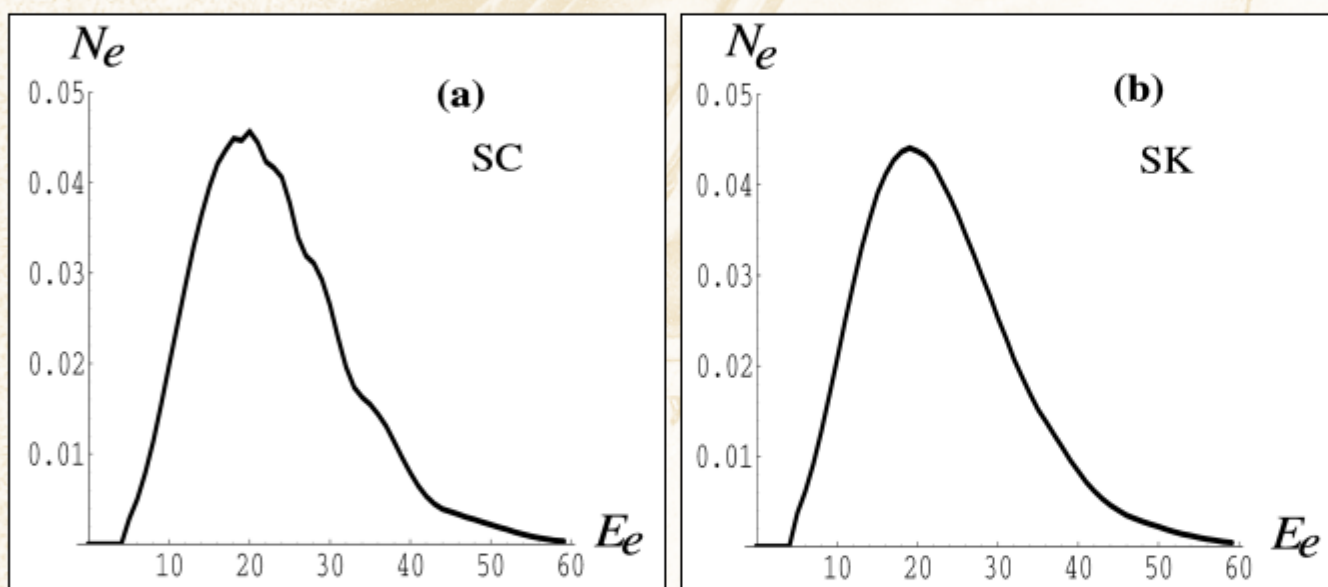
Earth effects included

Π (Dighe, Kachelriess, Keil, Raffelt, Semikoz, Tomàs),
hep-ph/0303210, hep-ph/0304150, hep-ph/0307050, hep-ph/0311172

Robust Strategies for Observing Earth Effects

One detector observes SN shadowed by Earth

Case 1: Identify “wiggles” in signal of single detector
Problem: Smearing by limited energy resolution



Scintillation detector
~ 2000 events
may be enough

Water Cherenkov
Need megatonne
with $\sim 10^5$ events

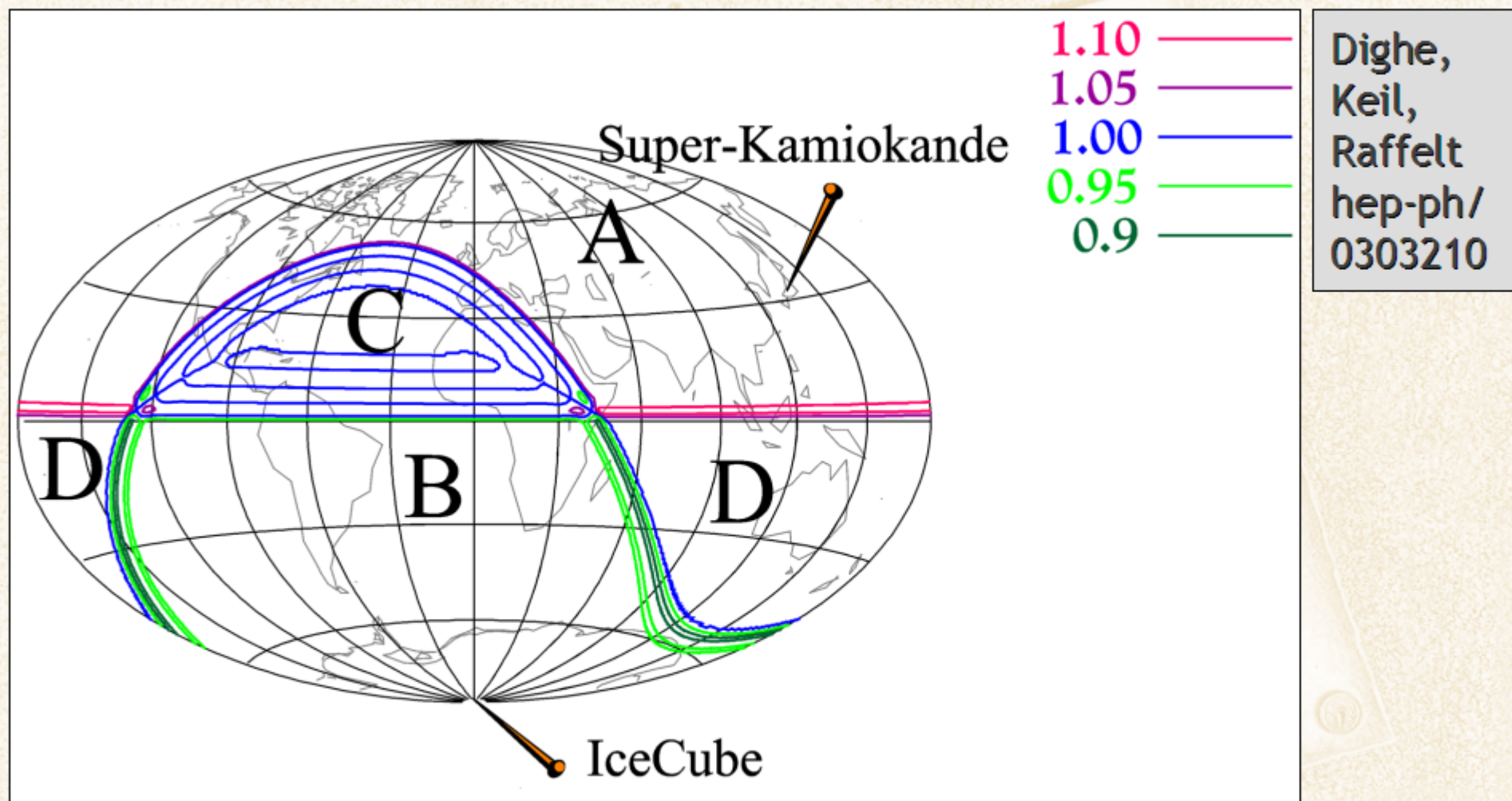
Dighe, Keil & Raffelt, “Identifying Earth matter effects on supernova neutrinos at a single detector”
[hep-ph/0304150]

Case 2:

- Another detector observes SN directly
- Identify Earth effects by comparing signals

Positively observing Earth effects implies normal mass ordering if $\sin^2(\Theta_{13}) \gtrsim 10^{-3}$ (e.g. established by reactor experiment)

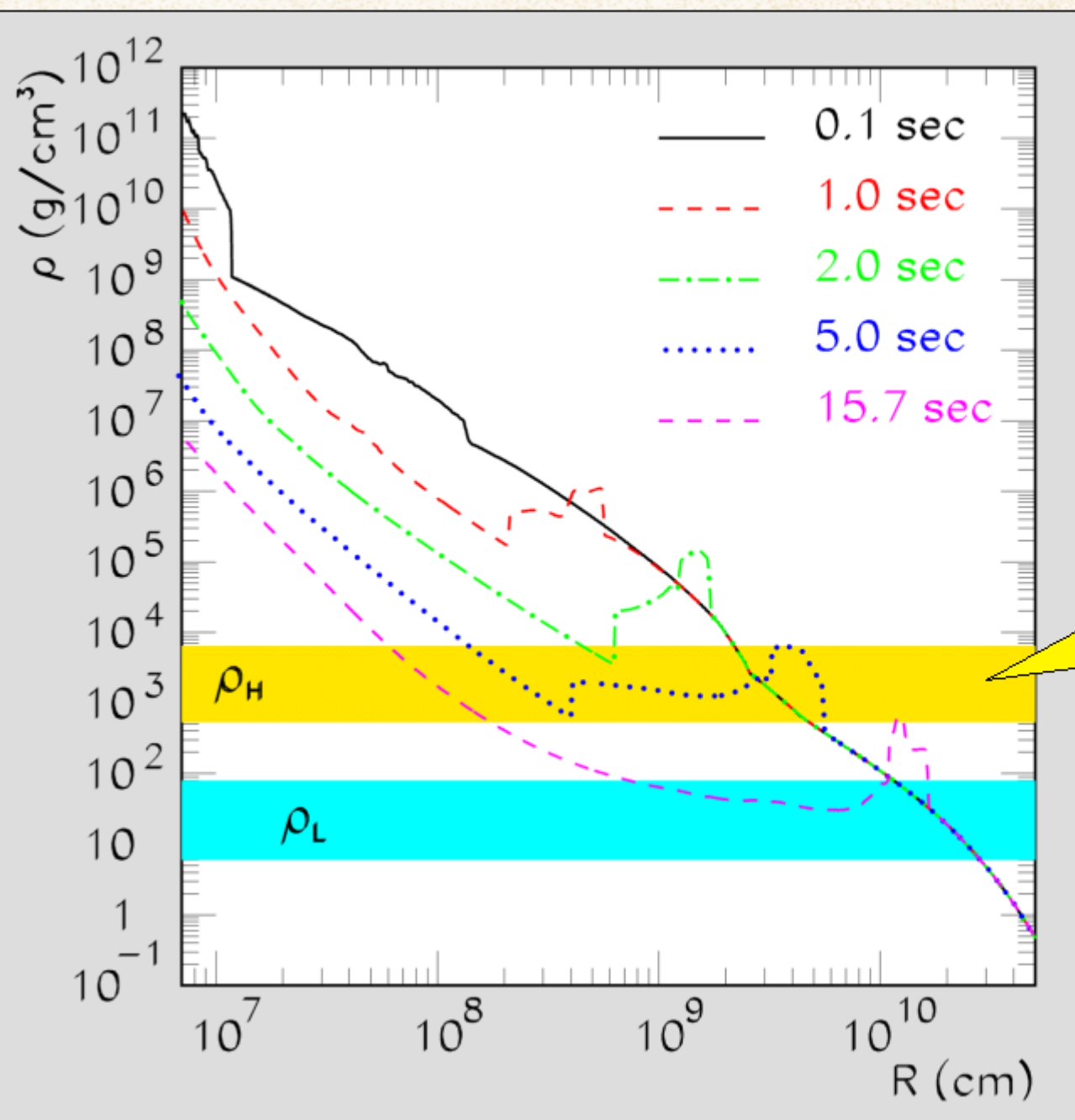
Two-Detector Sky Coverage with Super-K & IceCube



Earth
effects
appear
in

IceCube		A	35%	Suitable for two- detector method
Super-K		B	35%	
Super-K	IceCube	C	15%	Approx. same signal in both detectors
		D	15%	

Supernova Shock Propagation and Neutrino Oscillations



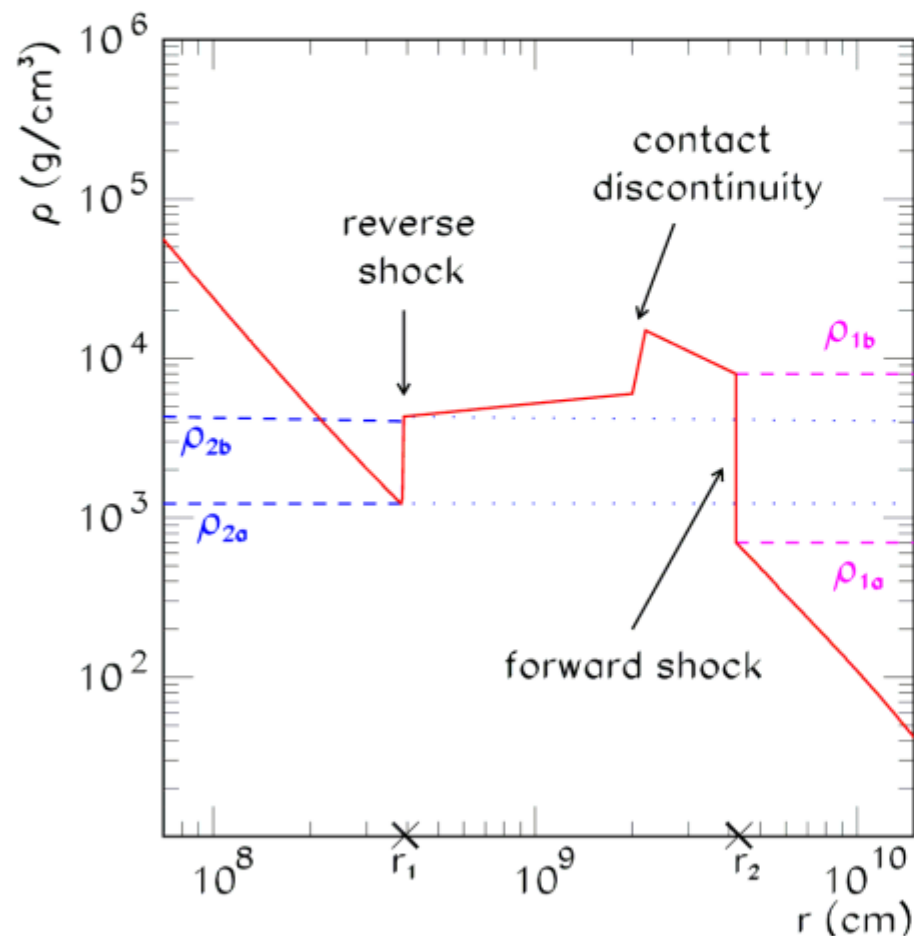
Schirato & Fuller:
Connection between
supernova shocks,
flavor transformation,
and the neutrino signal
[astro-ph/0205390]

Resonance
density for
 Δm_{atm}^2

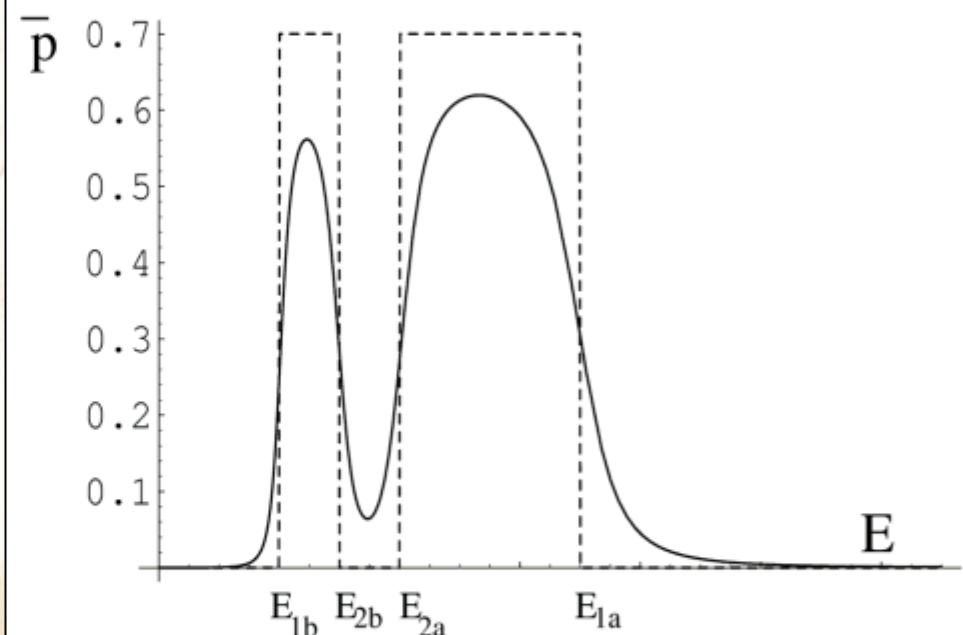
R. Tomàs, M. Kachelriess,
G. Raffelt, A. Dighe,
H.-T. Janka & L. Scheck:
Neutrino signatures of
supernova forward and
reverse shock propagation
[astro-ph/0407132]

Double-Dip Survival Probability

Schematic forward and reverse shock profile

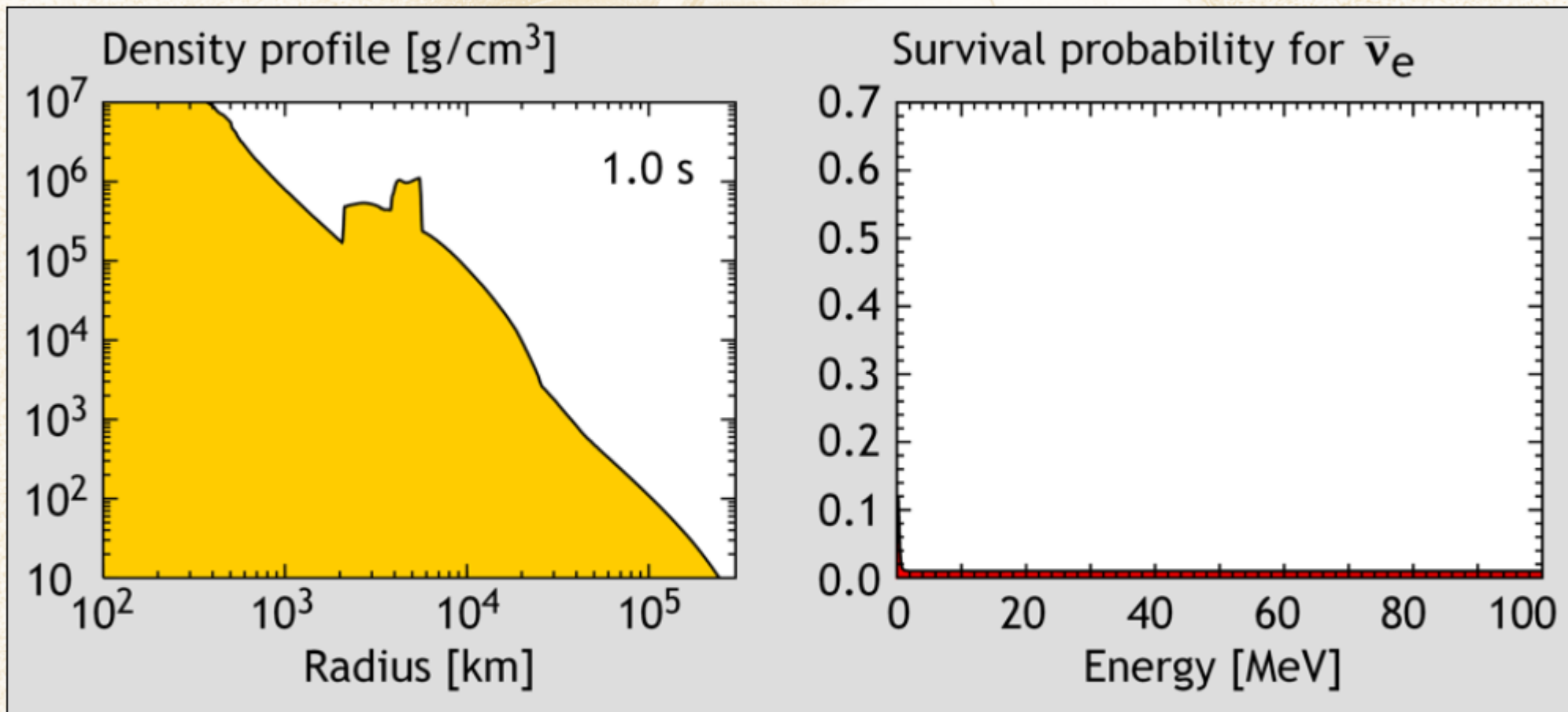


Survival probability for $\bar{\nu}_e$

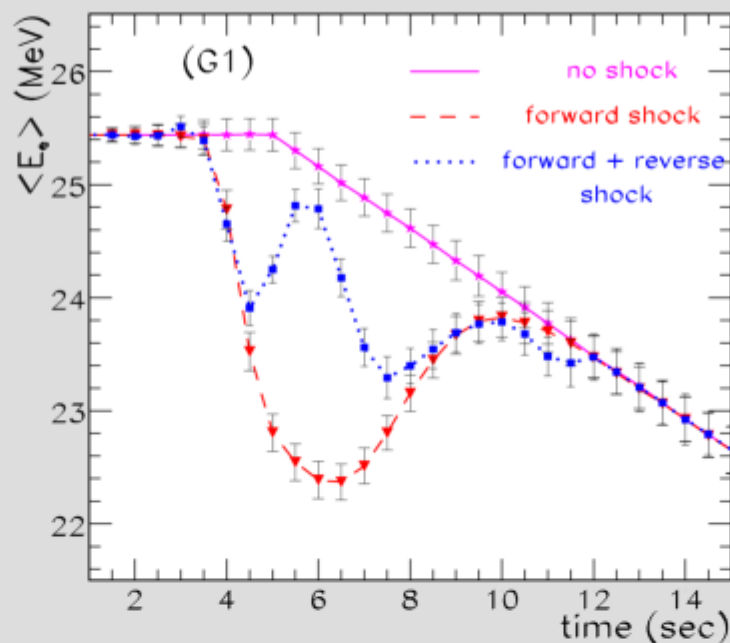
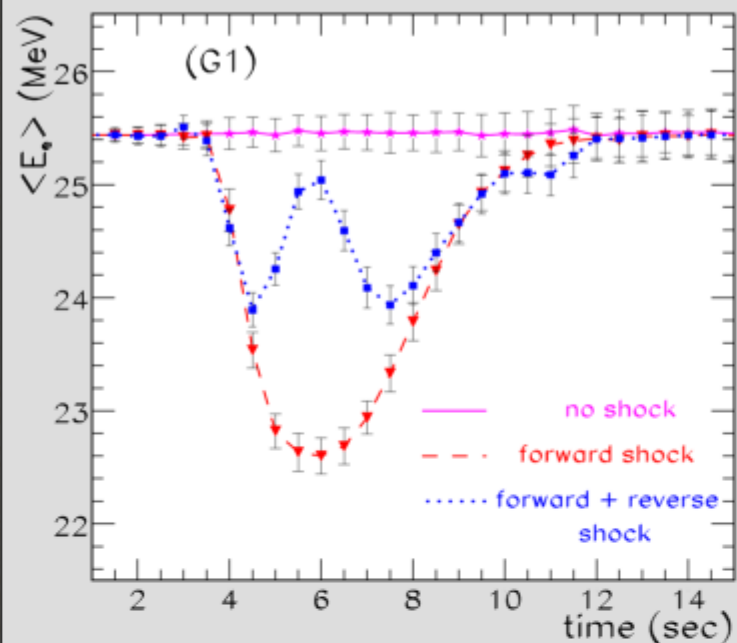


Adiabaticity is broken twice,
leading to a characteristic double-dip
 $\bar{\nu}_e$ survival probability as a function of
energy

Shock-Wave Propagation and Survival Probability



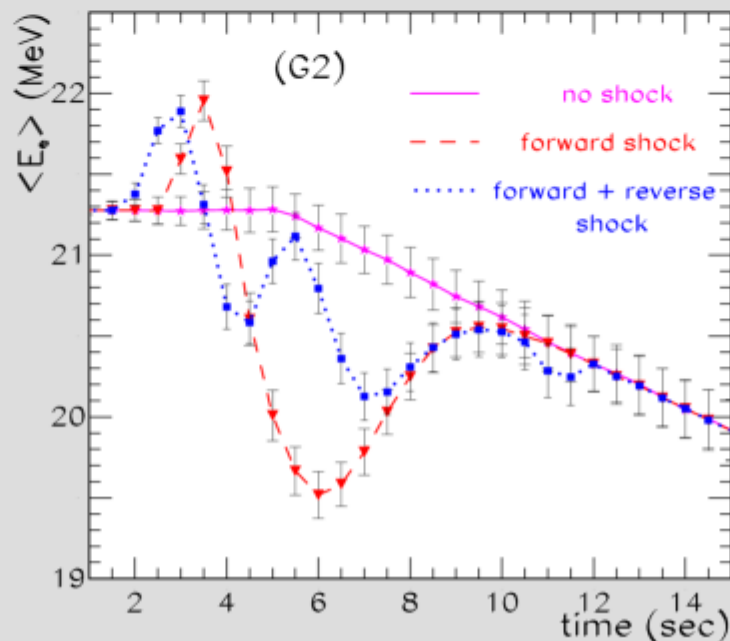
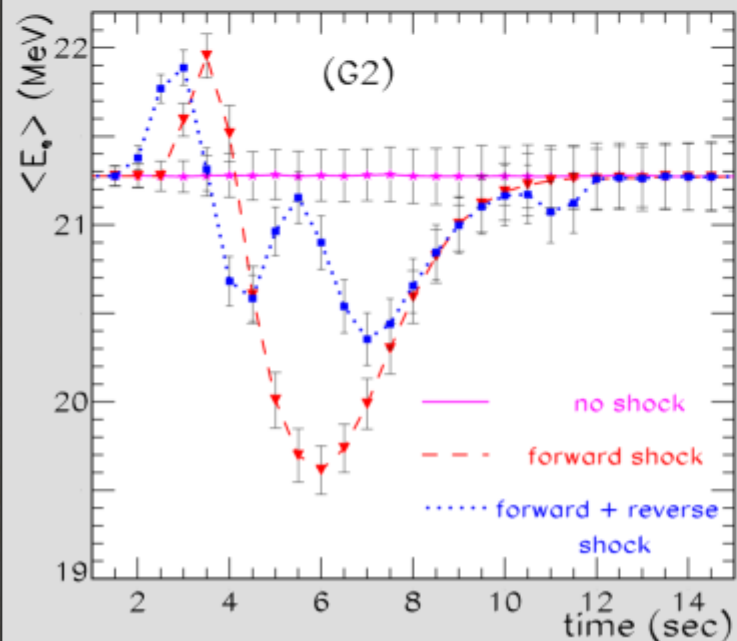
Signature in a Megatonne Cherenkov Detector



$$\frac{\text{Flux}(\bar{\nu}_e)}{\text{Flux}(\bar{\nu}_x)} = 0.8$$

$$E_0(\bar{\nu}_e) = 15 \text{ MeV}$$

$$E_0(\bar{\nu}_x) = 18 \text{ MeV}$$



$$\frac{\text{Flux}(\bar{\nu}_e)}{\text{Flux}(\bar{\nu}_x)} = 0.5$$

$$E_0(\bar{\nu}_e) = 15 \text{ MeV}$$

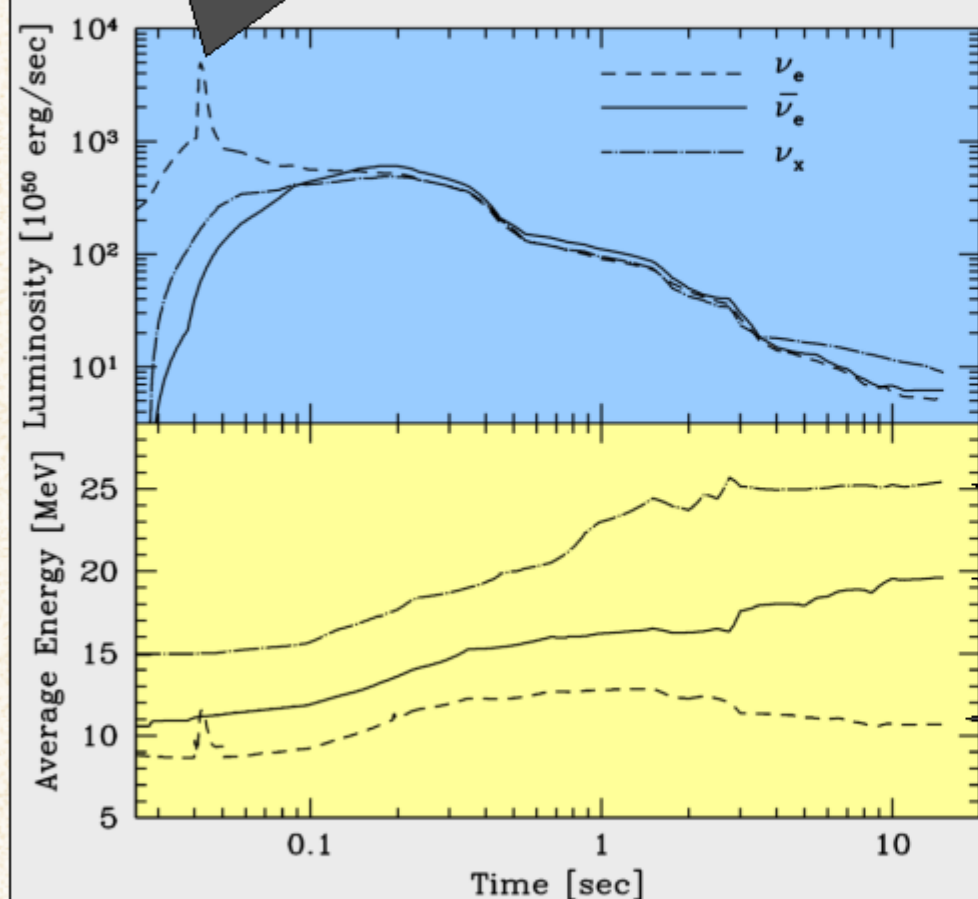
$$E_0(\bar{\nu}_x) = 15 \text{ MeV}$$

Observable Features in a Water Cherenkov Detector

Case	Mass ordering	$\sin^2(2\Theta_{13})$	p	$\bar{p}$	Observable effects in $\bar{\nu}_e$ channel
A	Normal	$\gtrsim 10^{-3}$	0	$\cos^2(\Theta_{12})$	Earth effects
B	Inverted		$\sin^2(\Theta_{12})$	0	Shock-wave propagation
C	Any	$\lesssim 10^{-5}$	$\sin^2(\Theta_{12})$	$\cos^2(\Theta_{12})$	Earth effects

Flavor-Dependent Fluxes and Spectra

Prompt ν_e
deleptonization
burst



Broad characteristics

- Duration a few seconds
- $\langle E_\nu \rangle \sim 10\text{--}20$ MeV
- $\langle E_\nu \rangle$ increases with time
- Hierarchy of energies
 $\langle E_{\nu_e} \rangle < \langle E_{\bar{\nu}_e} \rangle < \langle E_{\nu_x} \rangle$
- Approximate equipartition of energy between flavors

ν_x

$\bar{\nu}_e$

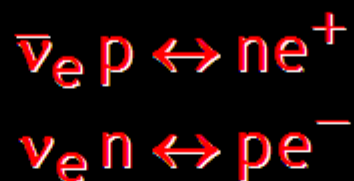
ν_e

Livermore numerical model
ApJ 496 (1998) 216

Supernova Neutrino Spectra Formation

Electron flavor ($\nu_e, \bar{\nu}_e$)

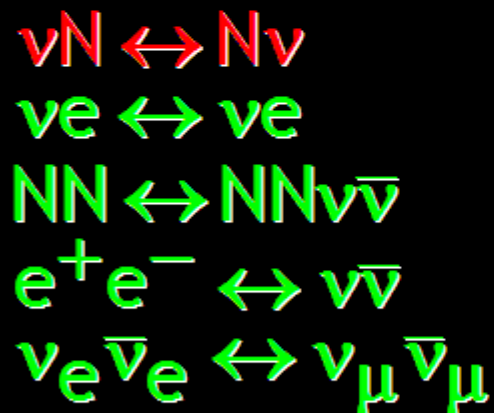
Thermal Equilibrium



$$T_{\text{flux}} \sim T_{\text{NS}}$$

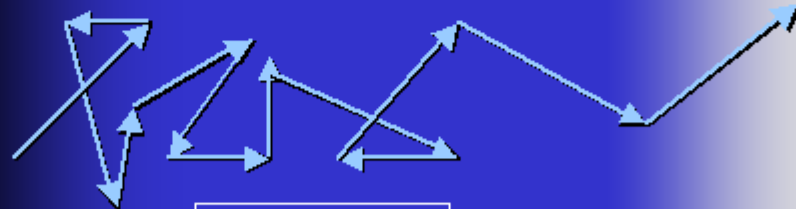
Neutrino sphere (T_{NS})

Other flavors ($\nu_\mu, \nu_\tau, \bar{\nu}_\mu, \bar{\nu}_\tau$)



Thermal Equilibrium

Scattering Atmosphere



Diffusion

$$T_{\text{flux}} \sim 0.6 T_{\text{ES}}$$

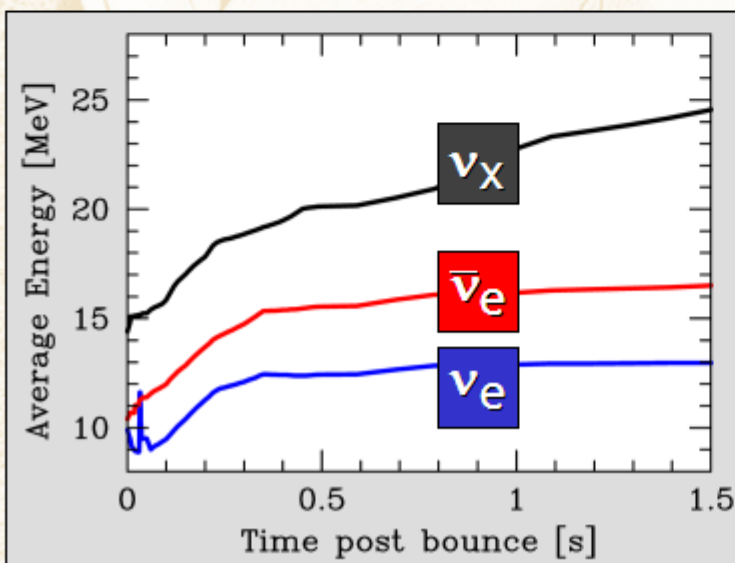
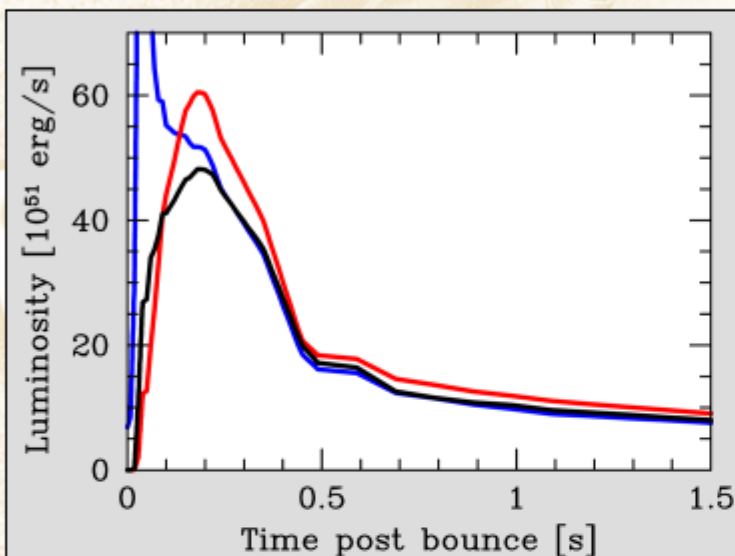
Energy sphere (T_{ES})

Transport sphere

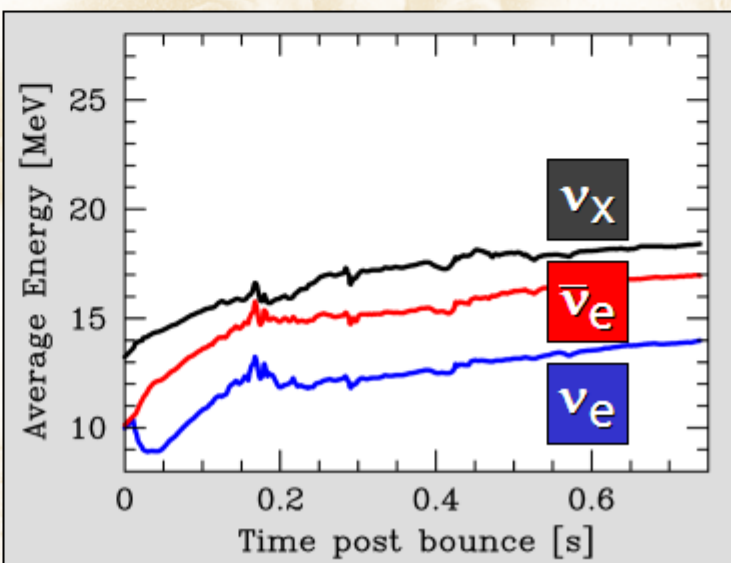
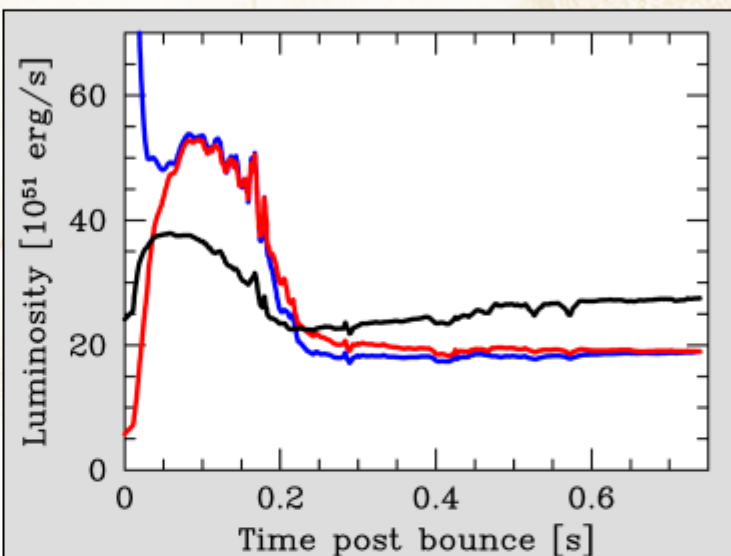
Raffelt (astro-ph/0105250), Keil, Raffelt & Janka (astro-ph/0208035)

Fluxes and Spectra from Numerical Simulations

Livermore (traditional)
[ApJ 496 (1998) 216]

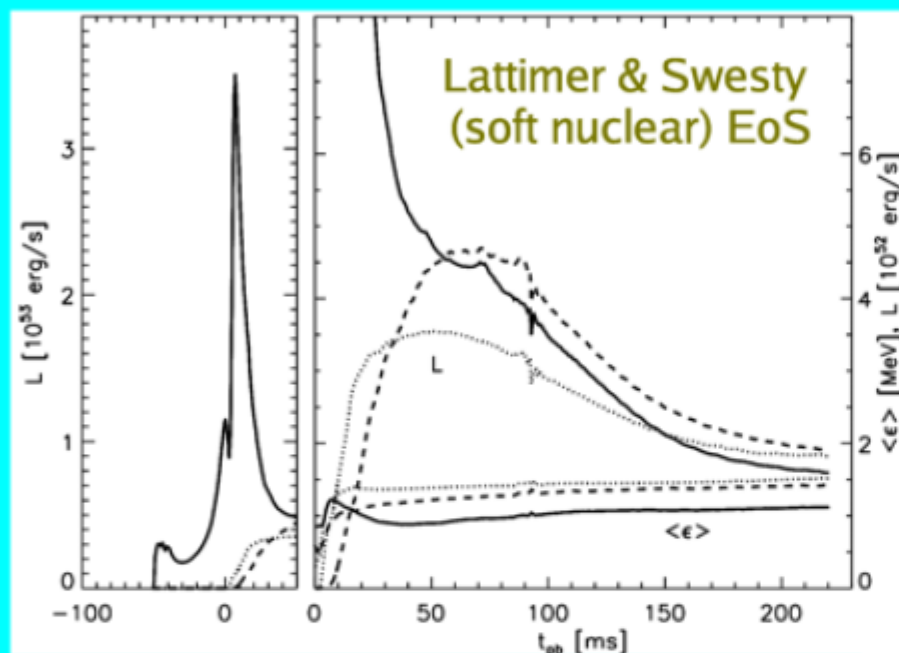


Garching (new microphysics)
[astro-ph/0303226]

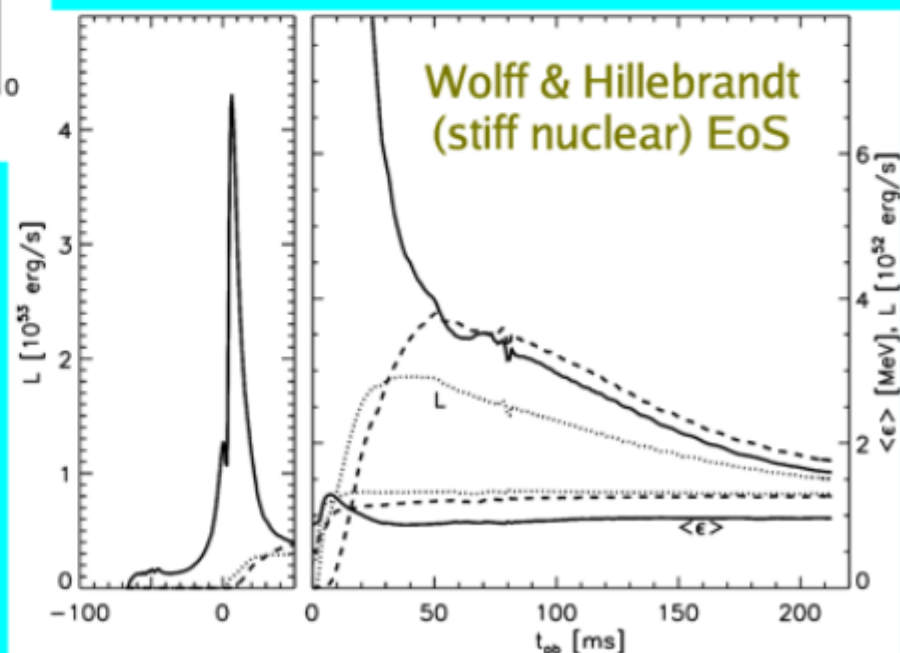


1D Simulations: ONeMg Core

Neutrino luminosities
and
mean energies



- solid: electron neutrinos
- dashed: electron antineutrinos
- dotted: heavy-lepton neutrinos





Neutrino Dark Matter

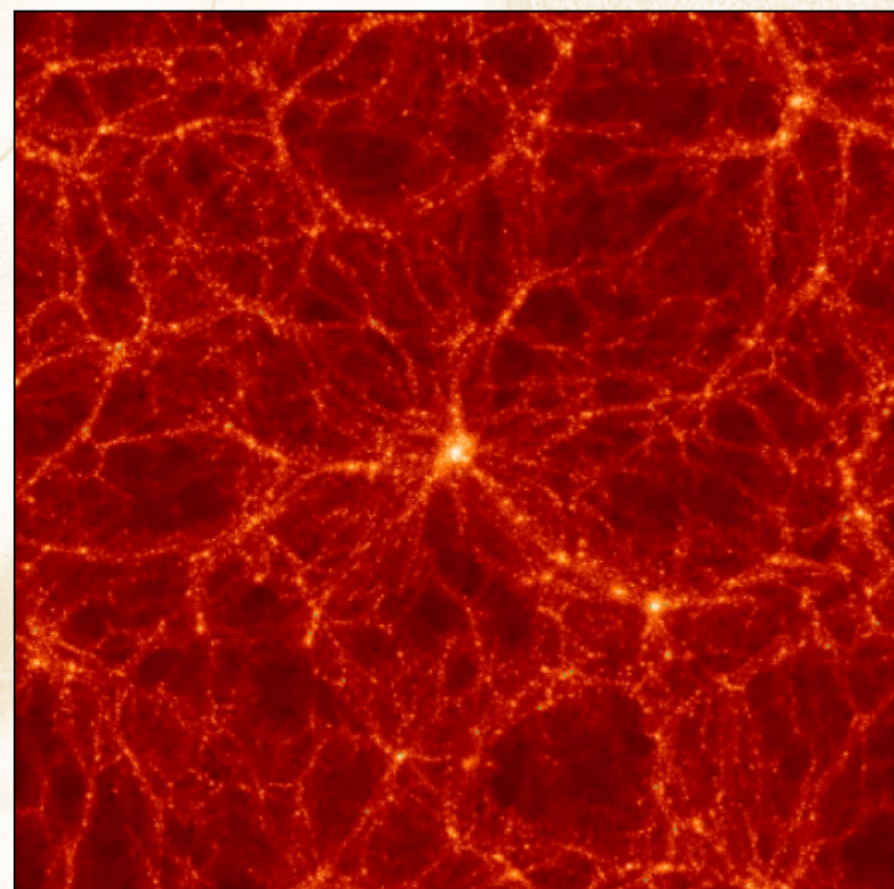
Formation of Structure

Smooth



Structured

Structure forms by
gravitational instability
of primordial
density fluctuations



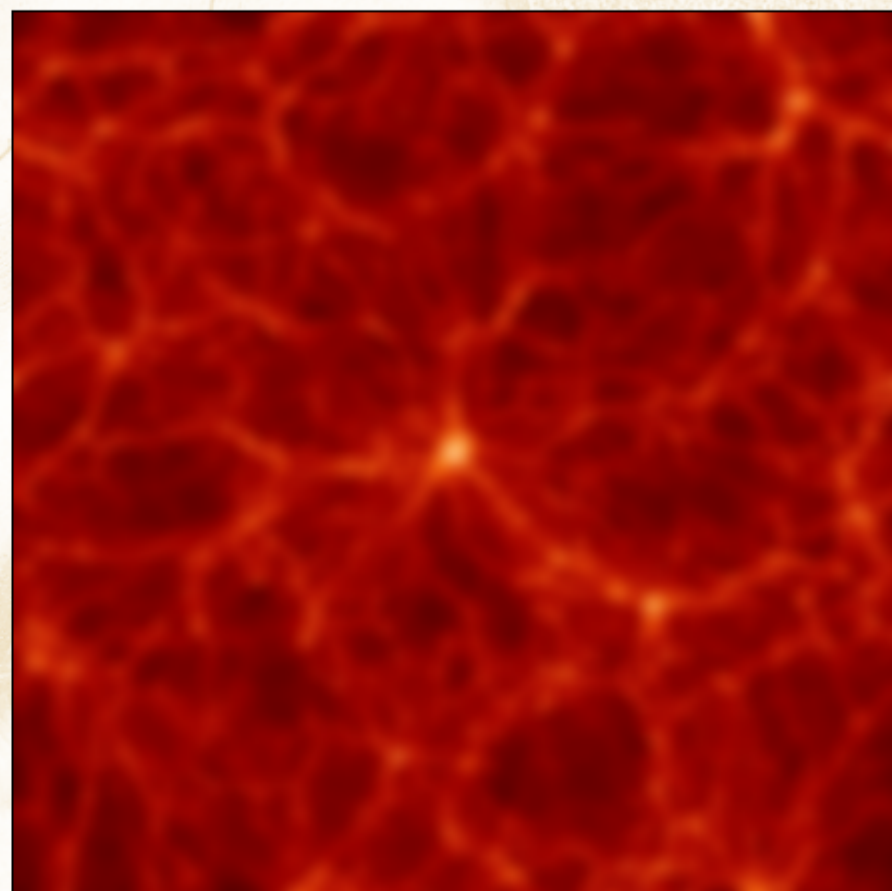
Formation of Structure

Smooth



Structured

**Structure forms by
gravitational instability
of primordial
density fluctuations**



**A fraction of hot dark matter
suppresses small-scale structure**

Processed Power Spectrum in Cold Dark Matter Scenario

Primordial spectrum

Suppressed by stagnation during radiation phase

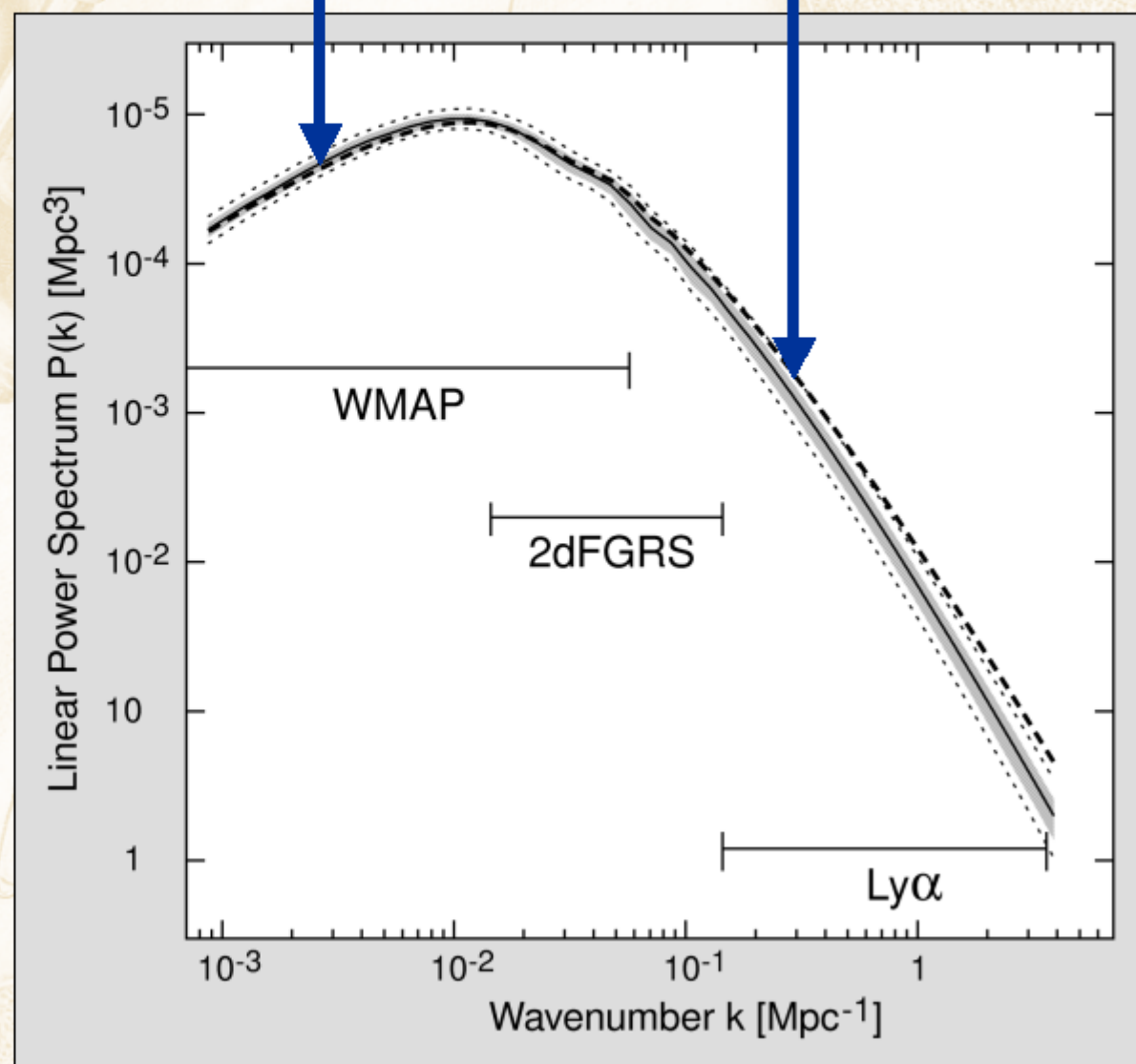
Primordial spectrum usually assumed to be of power-law form

$$P(k) = |\delta_k|^2 \propto k^n$$

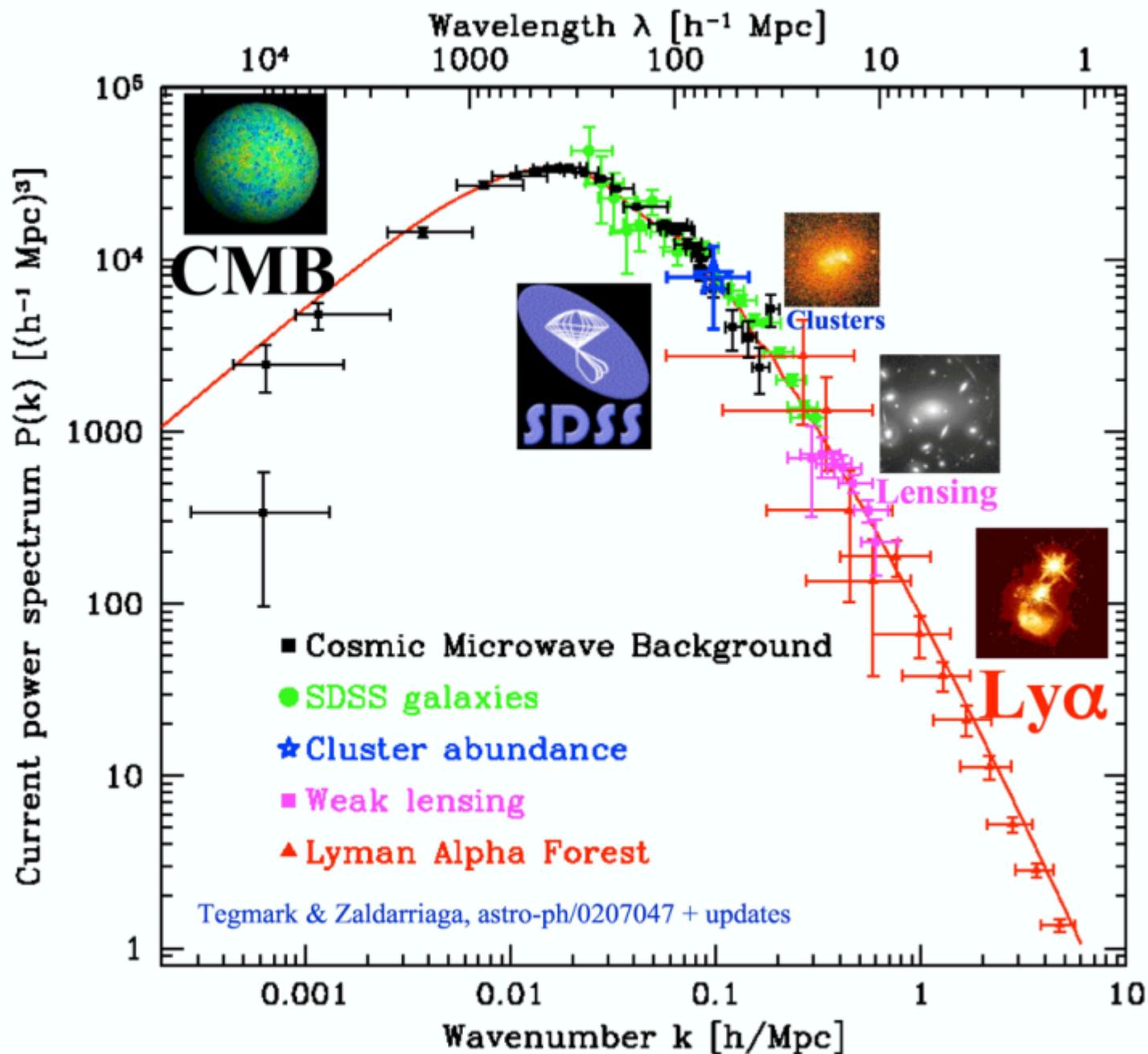
Harrison-Zeldovich ("flat") spectrum

$$n = 1$$

expected from inflation (may be slightly less than 1, depending on details of inflationary phase)



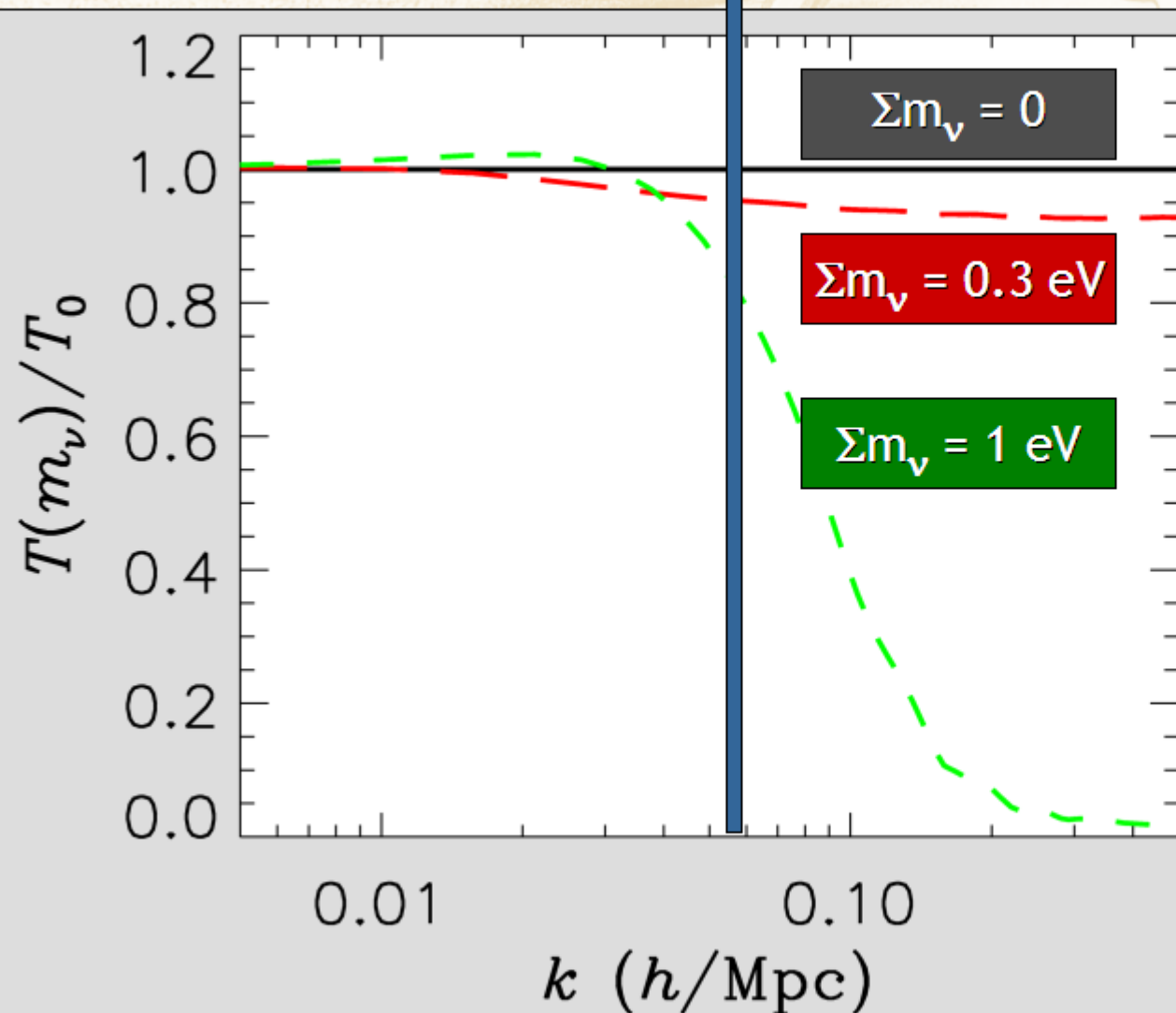
Power Spectrum of Cosmic Density Fluctuations



Max Tegmark
Univ. of Pennsylvania
max@physics.upenn.edu
TAUP 2003
September 5, 2003

Neutrino Free Streaming - Transfer Function

Power suppression for $\lambda_{\text{FS}} \lesssim 100 \text{ Mpc}/h$



Transfer function

$$P(k) = T(k) P_0(k)$$

Effect of neutrino free streaming on small scales

$$T(k) = 1 - 8\Omega_\nu/\Omega_M$$

valid for

$$8\Omega_\nu/\Omega_M \ll 1$$

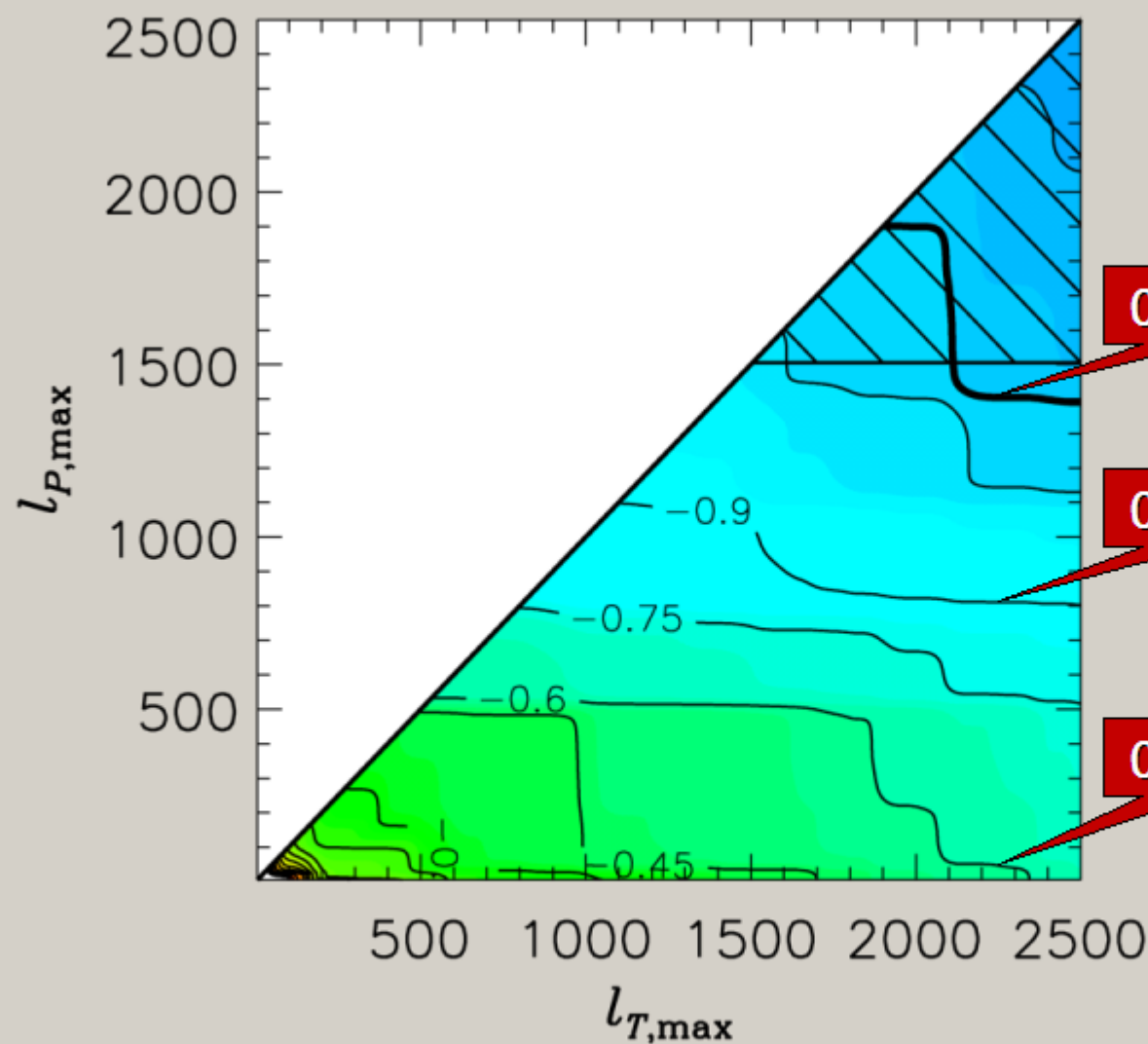
Hannestad, Neutrinos in Cosmology, hep-ph/0404239

Recent Cosmological Limits on Neutrino Masses

Authors	$\Sigma m_\nu / \text{eV}$ (limit 95%CL)	Data / Priors
Spergel et al. (WMAP) 2003 [astro-ph/0302209]	0.69	WMAP, CMB, 2dF, σ_8 , HST
Hannestad 2003 [astro-ph/0303076]	1.01	WMAP, CMB, 2dF, HST
Tegmark et al. 2003 [astro-ph/0310723]	1.8	WMAP, SDSS
Barger et al. 2003 [hep-ph/0312065]	0.75	WMAP, CMB, 2dF, SDSS, HST
Crotty et al. 2004 [hep-ph/0402049]	1.0 0.6	WMAP, CMB, 2dF, SDSS & HST, SN
Hannestad 2004 [hep-ph/0409108]	0.65	WMAP, SDSS, SN Ia gold sample, Ly- α data from Keck sample
Seljak et al. 2004 [astro-ph/0407372]	0.42	WMAP, SDSS, Bias, Ly- α data from SDSS sample

PLANCK Sensitivity to Neutrino Mass

Maximum **polarization** multipole that can be measured to cosmic-variance precision



1 σ sensitivity to Σm_ν

0.07 eV

0.13 eV

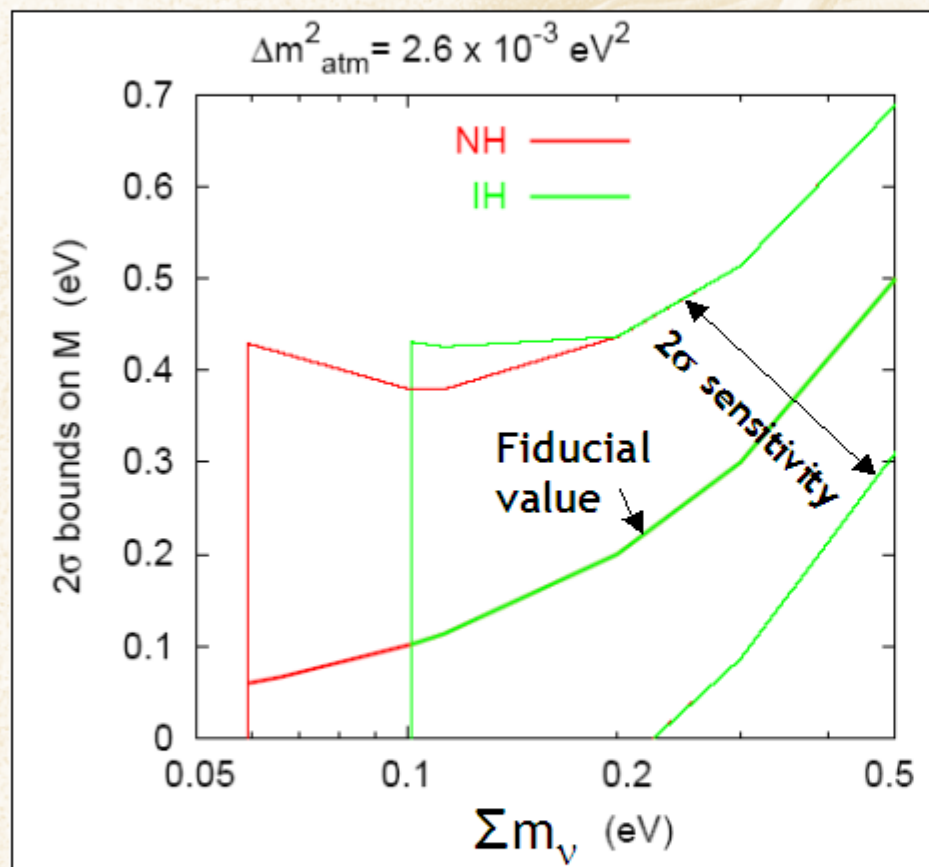
0.25 eV

Maximum **temperature** multipole that can be measured to cosmic-variance precision

Steen Hannestad
astro-ph/0211106

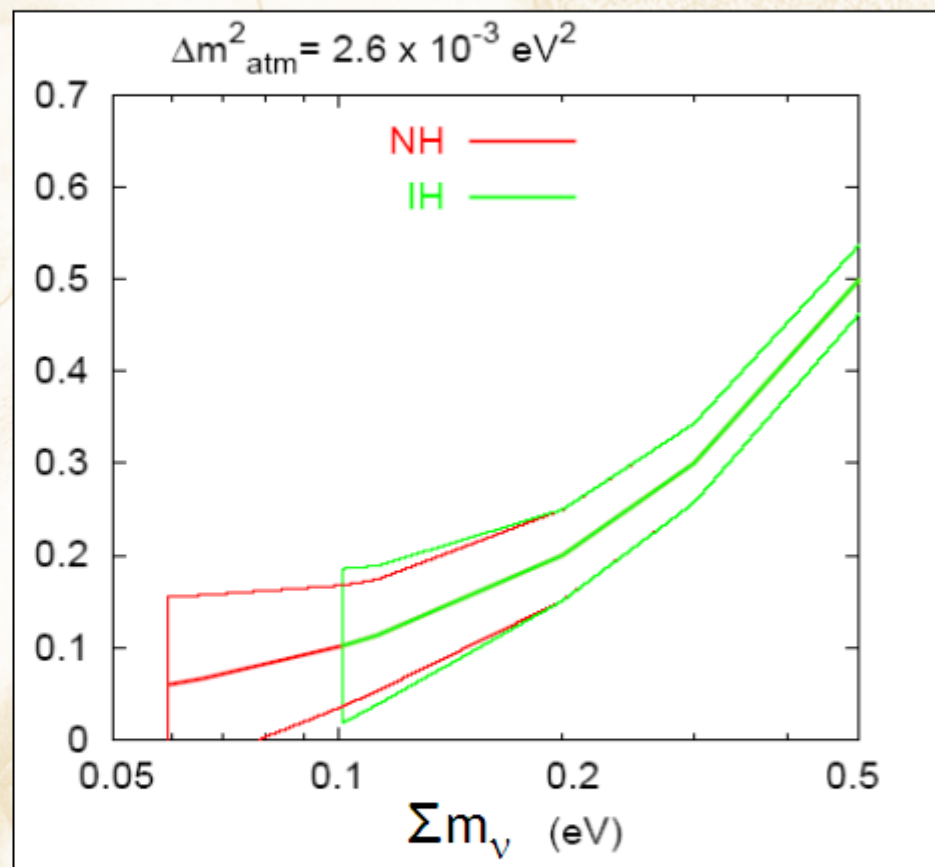
Probing Neutrino Masses with Future Redshift Surveys

Planck & SDSS



$\Sigma m_\nu > 0.21 \text{ eV}$ detectable at 2σ

Ideal CMB & $40 \times$ SDSS



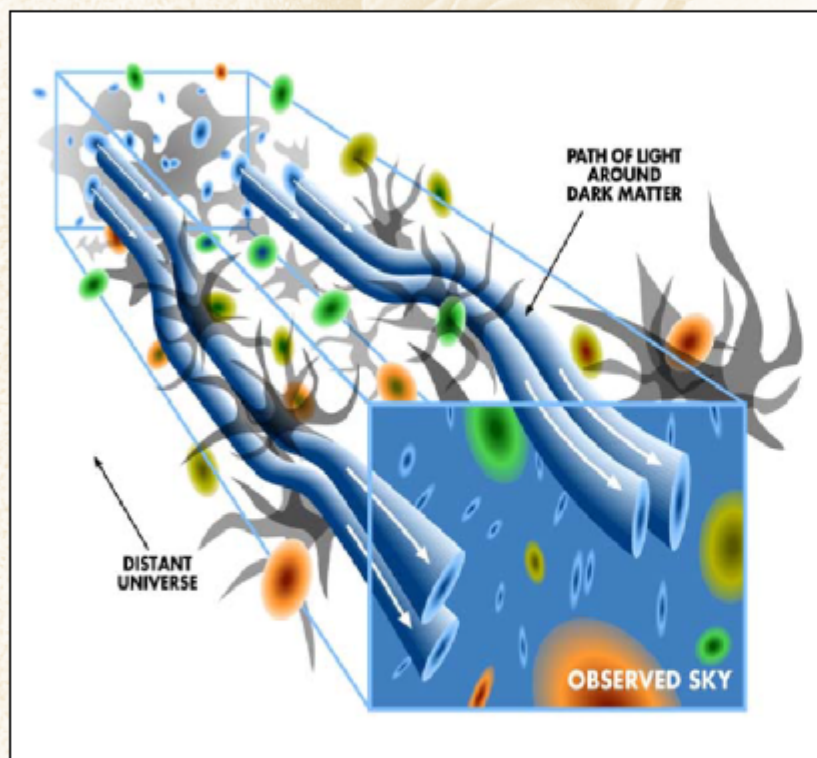
$\Sigma m_\nu > 0.13 \text{ eV}$ detectable at 2σ

Lesgourgues, Pastor & Perotto, hep-ph/0403296

Possible Sensitivity from Weak Lensing

Weak galaxy lensing

- No bias uncertainty
- Small scales in linear regime



Future weak lensing survey
4000 deg²

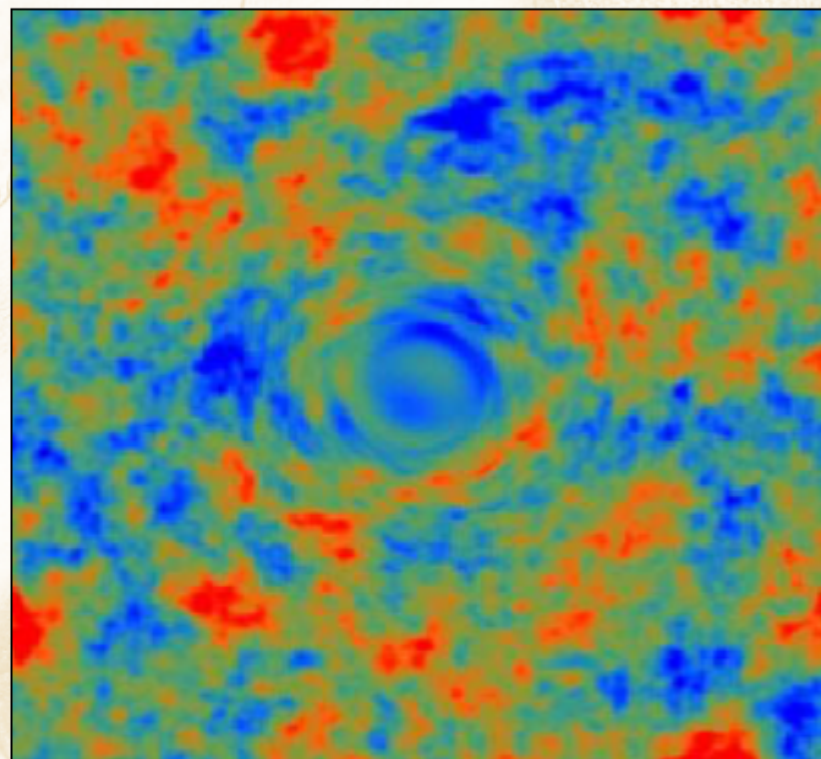
$$\sigma(m_\nu) \sim 0.1 \text{ eV}$$

Abazajian & Dodelson

astro-ph/0212216

CMB lensing

Sensitive to much smaller masses



Primary and lensing

$$\sigma(m_\nu) \sim 0.15 \text{ eV (Planck)}$$

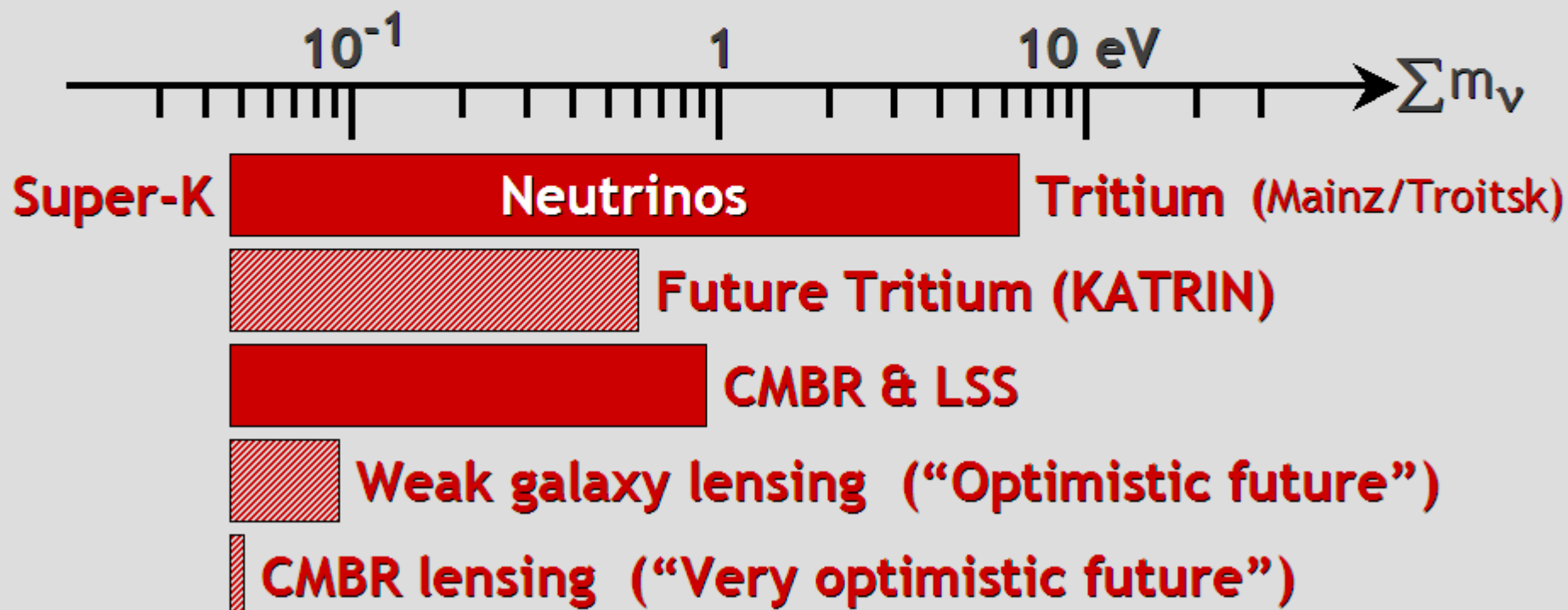
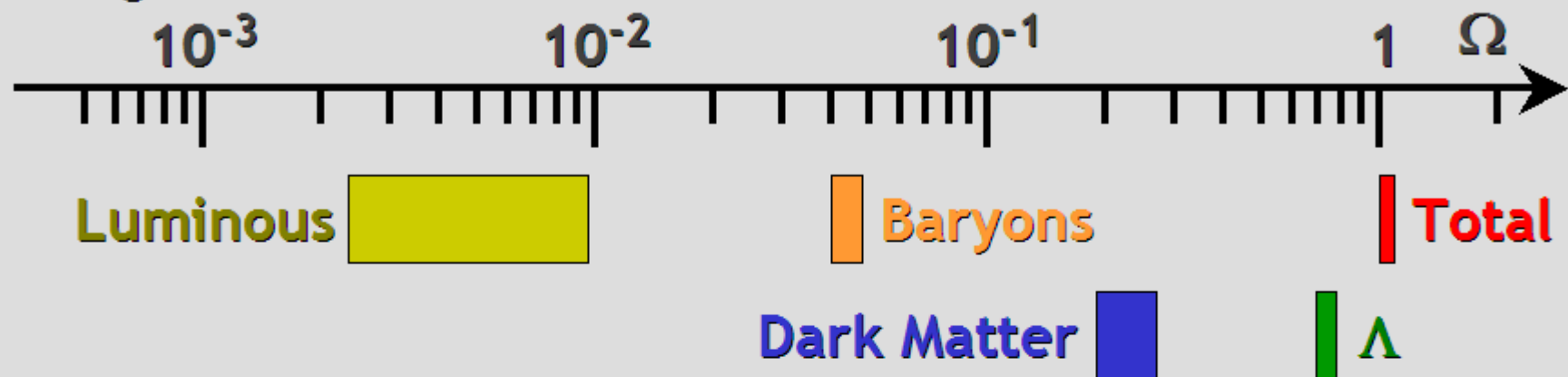
$$\sigma(m_\nu) \sim 0.044 \text{ eV (CMBpol)}$$

Kaplinghat, Knox & Song,

astro-ph/0303344

Mass-Energy-Inventory of the Universe

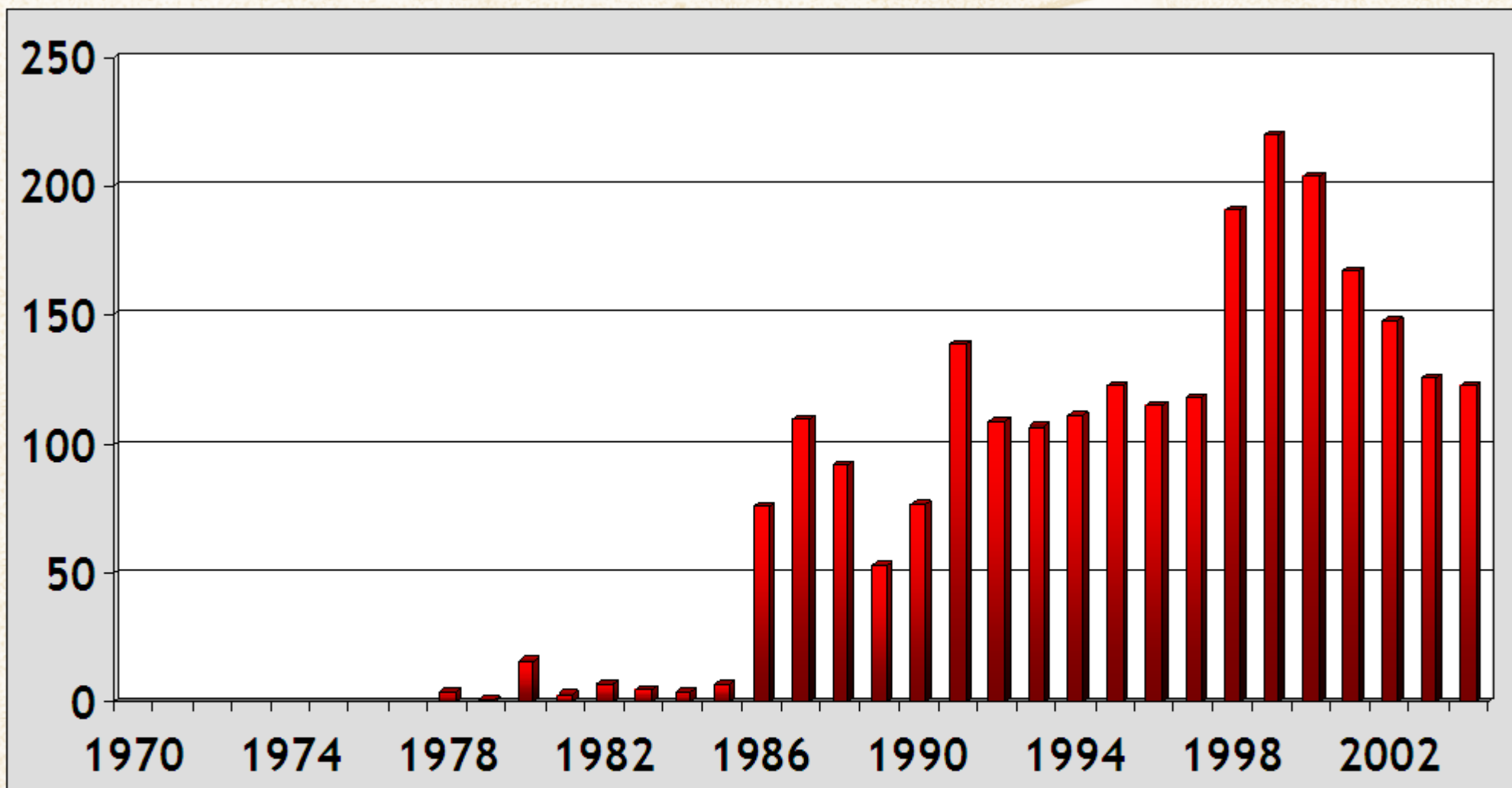
Assuming $h = 0.72$



Neutrinos in the Next Decade - Bull or Bear?

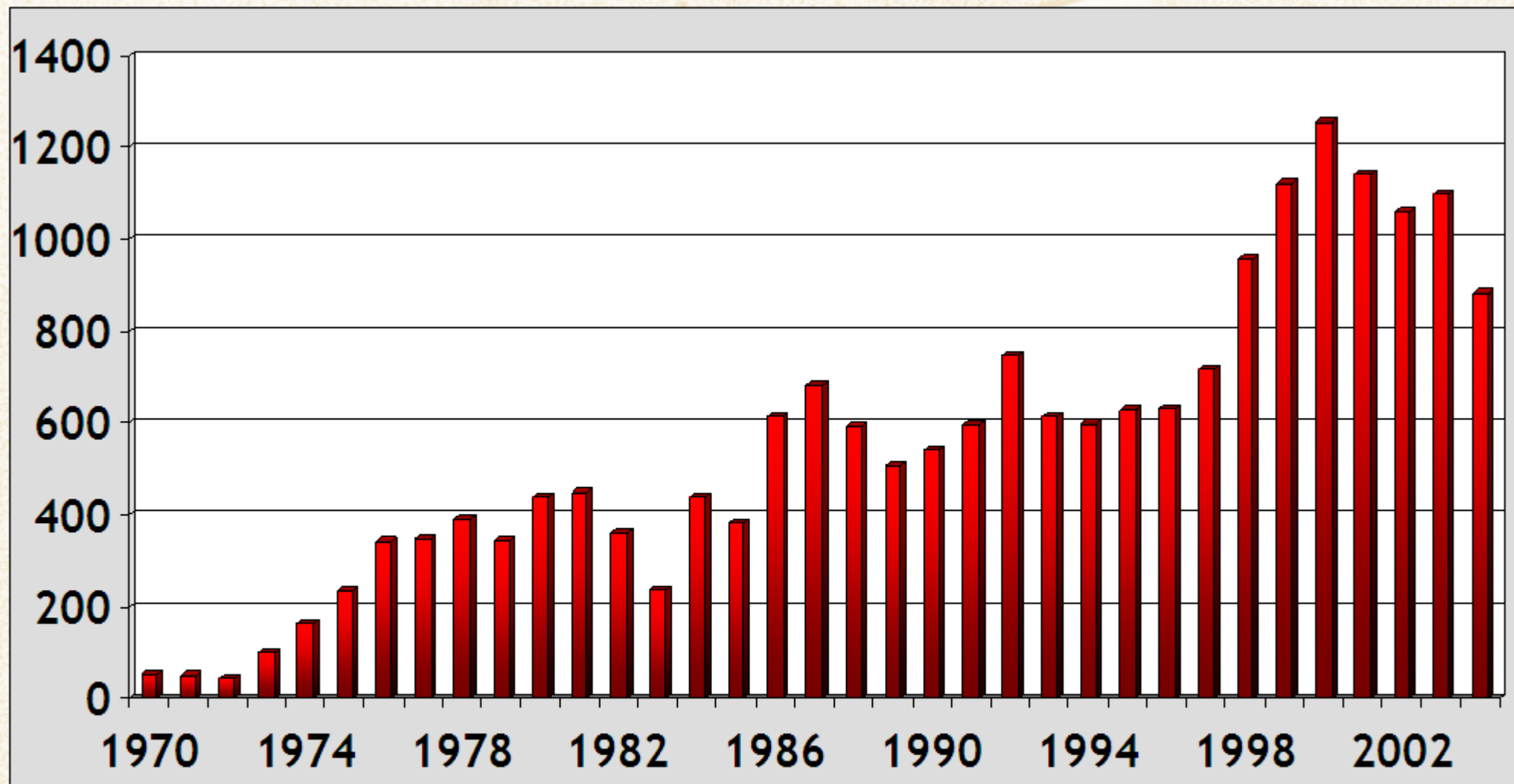


Citations of Wolfenstein's Paper on Matter Effects



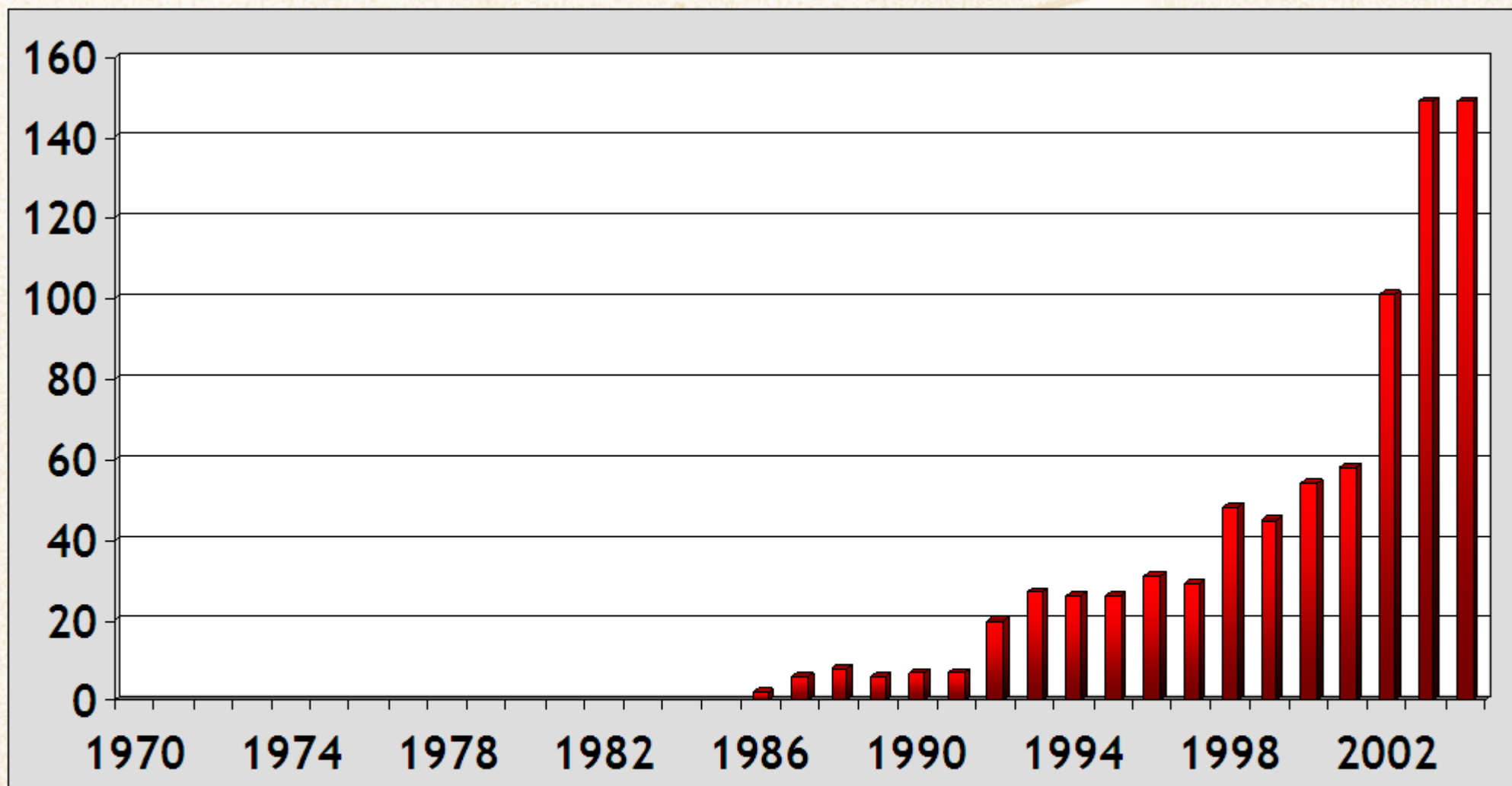
**Annual citations of Wolfenstein, PRD 17:2369, 1978
in the SPIRES data base (total of 2456 citations 1978-2004)**

Community Interest in Neutrinos



**Papers with "Neutrino" in title
(SPIRES data base, 19486 "neutrino" papers 1970-2004)**

Leptogenesis as a Research Topic



**Citation of Fukugita & Yanagida, PLB 174 (1986) 45
or "leptogenesis" in title (SPIRES data base)**

Wish List of “Bull Events” from Astro/Cosmo



Clear evidence for neutrino mass in 2β experiments, KATRIN, and cosmology
or conflicting signatures between these channels



High-statistics neutrino signal from a galactic supernova



Clear evidence for high-energy neutrino sources



First realistic idea for a direct detection of the cosmic neutrino background

Or a bull in unexpected guise ...

